Optimal Startup of Chemical Plants and its Practical Implementation

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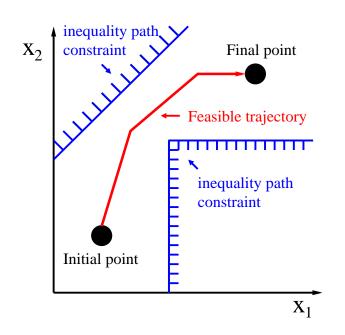
Trial lecture for Dr.Ing defense 18. September 2003

Outline

- Startup of chemical plants
- Industrial example: Startup
- Startup: Operating procedure
- Startup: PI-control with target setpoints
- Startup: Dynamic optimization (offline)
- Startup: Nonlinear model predictive control (online)
- Startup: Self-optimizing control
- Interesting research areas
- Concluding remarks

Startup of chemical plants

Def: Large change in operating point.



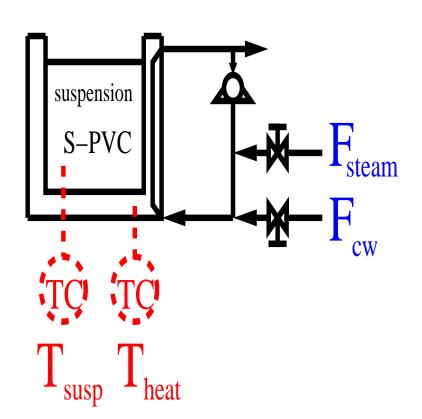
Characteristics:

- Strong nonlinearities
- Inequality path constraints
- Position constraints (e.g. final point)
- Varying physical/chemical phenomena

Objective:

- minimize transition time
- minimize energy / material usage
- minimize risk

Example: Startup Norsk Hydro S-PVC plant, Porsgrunn, Norway



Manipulated variables:

$$u^T = [F_{cw} \quad F_{steam}]$$

Minimize startup time:

$$J = t_{final} - t_{init}$$

Constraints:

$$T_{heat}(t) \le 90^{\circ}C$$

 $T_{susp}(t) \le 52^{\circ}C$
 $T_{susp}(t_{final}) = 50^{\circ}C$

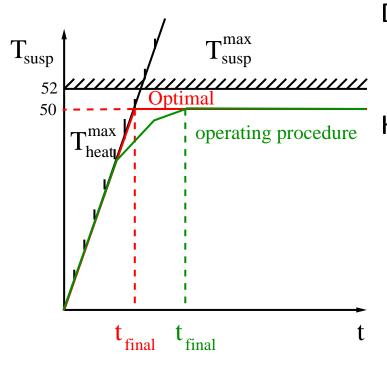
Disturbance:

$$d = T_{susp}(t_{init}) = [25 \pm 5^{\circ}C]$$

Measurements:

$$y^T = [T_{susp} \quad T_{heat}]$$

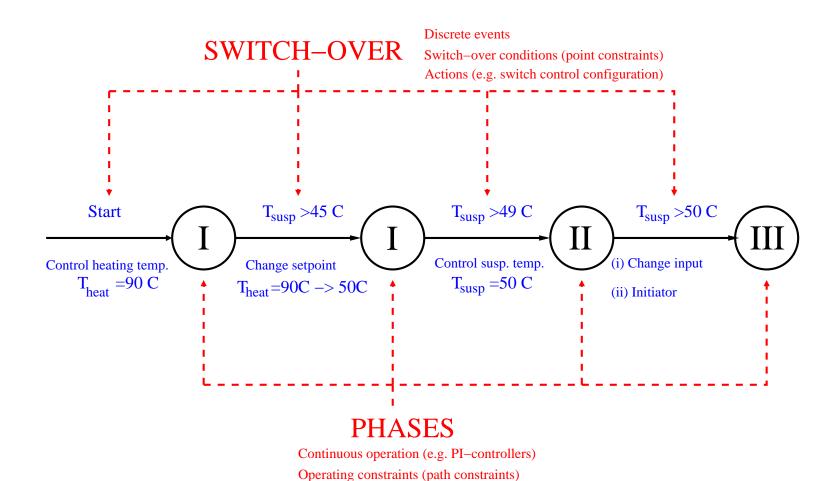
Startup: Operating procedure



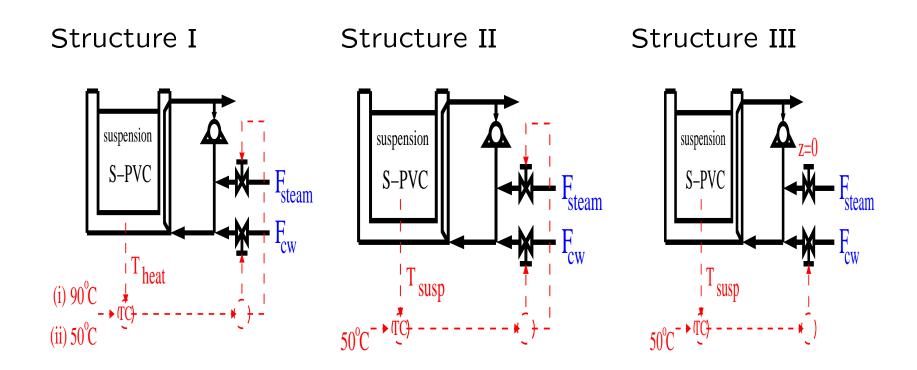
Design procedures:

- Trial and error
- Stephanopoulos and coworkers
 Handling procedures:
 - Operators
 - Automation
 - Fuzzy logic control (Bahar et al. 1994)
 - Discrete event system (Klein et al. 2000)

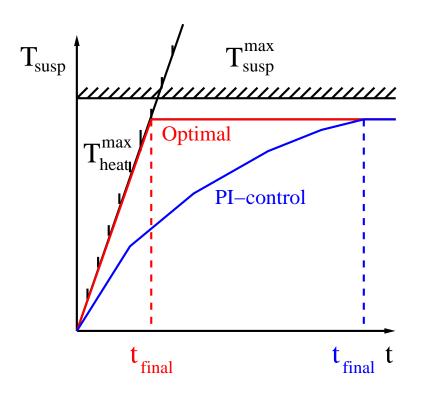
Startup: Operating procedure



Varying control structures during startup



Startup: PI-control with target setpoints



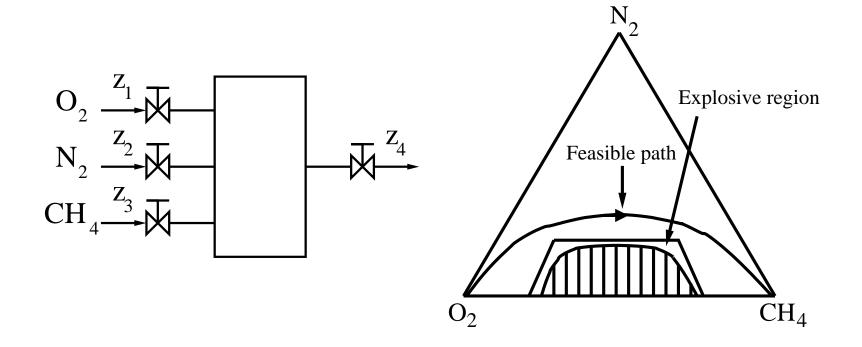
Slow control:

- Path constraints
- Nonlinearities

Phillips et al. (1988a), Wozny and Li (2003): "Conventional approach"

Startup: PI-control with target setpoints

Tank changeover problem (Rivas and Rudd 1974): Infeasible



Dynamic optimization

$$\min_{\substack{\boldsymbol{u(t)}, \dot{x}(t), x(t), t_f}} \phi(x(t_f), u(t_f), d(t_f), t_f) + \int_0^{t_f} L(x(t), \frac{\boldsymbol{u(t)}, d(t), t)dt$$

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\begin{array}{ll} plant: & \text{f}(\dot{x}(t),x(t),u(t),d(t),t) = 0 & \forall t \in [0,t_f] \\ path \ constraints: & \text{g}(\dot{x}(t),x(t),u(t),d(t),t) \leq 0 & \forall t \in [0,t_f] \\ position \ constraints: & \text{k}_p(\dot{x}(t_p),x(t_p),u(t_p),d(t_p),t_p) \leq 0 & \forall p \in \{1,..,n_p\} \\ disturbances: & \text{d}(t) = \text{d}_0(t) & \forall t \in [0,t_f] \end{array}
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Gives:

Optimal profile u(t).

Cervantes et al. (2002): polyethylene plant

Modeling

Discrete events

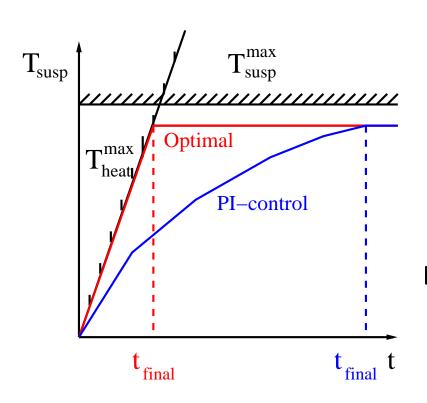
Jumps

Ref: Barton et al. (1998)

Dynamic optimization methods

Ref: Biegler et al. (2002), Barton et al. (1998).

Startup: Dynamic optimization (offline)



Sensitive to uncertainty

- Disturbances:
 - Initial states
 - Final states
 - Parameters
- Implementation error
 Measurement errors
- Model error

Reduce sensitivity by feedback:

- 1. regularly update model and re-optimize
- 2. change implemented variables (controlled variables)

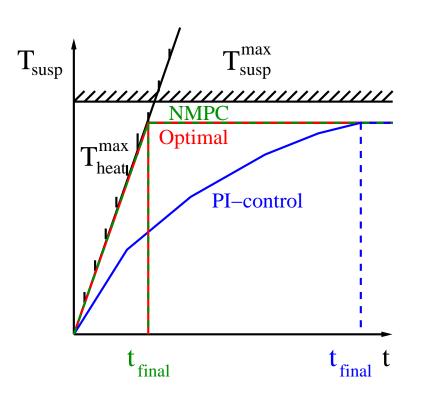
Nonlinear model predictive control (NMPC)

$$\min_{u_k, x_k, y_k} \sum_{k=1}^p (y_k - y_{s,k})^T Q_{y,k} (y_k - y_{s,k}) + \sum_{k=1}^m (u_k - u_{r,k})^T Q_{u,k} (u_k - u_{r,k})$$

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\begin{array}{lll} plant: & & \mathsf{f}_k(x_{k+1},x_k,u_k,d_k) = \mathsf{0} & \forall k \in \{1,..,p\} \\ outputs: & & \mathsf{y}_k = g_k(x_k,u_k,d_k) & \forall k \in 1,..,m\} \\ input \ constraints: & & \mathsf{U}_{max} \leq u_k \leq u_{min} & \forall k \in \{1,..,m\} \\ state \ constraints: & & \mathsf{x}_{max} \leq x_k \leq x_{min} & \forall k \in \{1,..,s\} \\ output \ constraints: & & \mathsf{y}_{max} \leq y_k \leq y_{min} & \forall k \in \{1,..,p\} \end{array}
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Ref: Biegler (1998), Santos et al. (2001)

Startup: Nonlinear model predictive control (NMPC)



Advantages:

- Feasibility
- Nonlinearity

Disadvantages:

- Modeling
- Computation online
- Objective function?

Self-optimizing control for dynamic system (ideal)

$$\min_{\substack{\boldsymbol{c}(..),\boldsymbol{c}_{s}(t),u(t),\dot{x}(t),x(t),t_{f}}}\phi(x(t_{f}),u(t_{f}),d(t_{f}),t_{f}) + \int_{0}^{t_{f}}L(x(t),u(t),d(t),t)dt$$

$$\begin{array}{ll} plant: & \mathsf{f}(\dot{x}(t),x(t),u(t),d(t),t) = 0 & \forall t \in [0,t_f] \\ path \ constraints & \mathsf{g}(\dot{x}(t),x(t),u(t),d(t),t) \leq 0 & \forall t \in [0,t_f] \\ \textbf{controlled \ variables} & \mathsf{c}(\dot{x}(t),x(t),u(t),d(t),t) = c_s(t) + d_c(t) & \forall t \in [0,t_f] \\ disturbances & \mathsf{d}(t) = \mathsf{d}_0(t) + \Delta d(t) & \forall t \in [0,t_f] \\ impl. \ errors & \mathsf{d}_c(t) = d_{c,0}(t) + \Delta d_c(t) & \forall t \in [0,t_f] \end{array}$$

Find: Controlled variables $c(\dot{x}(t),x(t),u(t),d(t),t)$ and corresponding setpoint $c_s(t)$

Implement:

Operating policy: Less sensitive to uncertainty (i.e. more robust operation)

"Self-optimizing control" for dynamic system

Main issue: Identify:

- Controlled variables with setpoints
- Switching conditions.

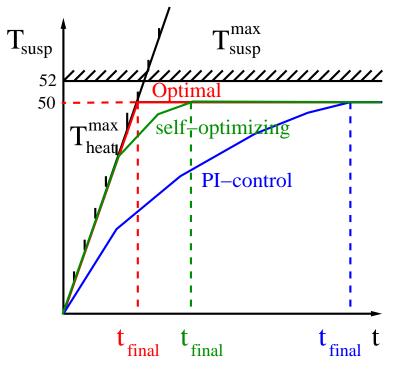
"Method":

- Dynamic optimization nominal and expected uncertainty
- Initial controlled variables and setpoints:
 - Active constraints
 - Nominal setpoints (afo time)
- Show loss as function of time
 - Regions with large loss
- Simplify operating policy
 - Profile → constant setpoints

Ref: Bonvin and coworkers

Startup: Self-optimizing control

In practice: A robust operating policy (procedure)



Advantages:

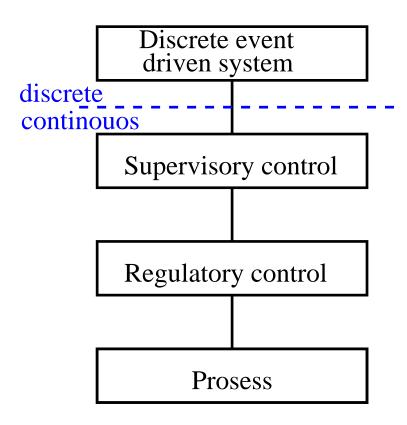
- Simple and close to optimal operation
- Less sensitive to uncertainties
- Reduced online computation

Disadvantages:

- ullet Identify c
- Modeling and model uncertainty
- Offline computations

Handling extreme uncertainties \rightarrow safety system.

Interesting research areas



- Operating procedure
- Dominating phases
 (e.g. semi-continuous phase in distillation column).
- Dominating subprocess
 (e.g. reactor or columns.)
- Discrete event driven system

Concluding remarks

Open

Complex

Challenging

Safety

• Piece-wise self-optimizing dynamic control

Coments

Consider "bottlenecks" with respect to startup time or cost:

- Parts in a startup procedure, e.g. dominating phases (e.g. semi-continous phase in distillation column startup).
- Part of the process, e.g. reactor or distillation column.

Discrete event driven system

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