Comments on paper: Sigurd Skogestad, ''Advanced control using decomposition and simple elements", *Annual Reviews in Control*, vol. 56 (2023), Article 100903.

**Comment 1** : Correction of reference for hierarchical decomposition

**Comment 2.** (Des. 2023) Perry (1973) has an early description of predictive **control.** 

**Comment 3. (Des. 2023) Perry (1999) gives an example of the use of transformed inputs for lineariza�on and feedforward (E14)**

**Comment 4. Older reference for separate controllers with different setpoints"; E6, (March 2024).** 

**Comment 5. One more split range control (SRC) scheme for MV-MV switching (The 4<sup>th</sup> alternative)** 



**Comment 1** Correction of reference for hierarchical decomposition **(Des. 2023). Re Figure 4 (decomposi�on into layers).**

In the paper it is referred to Richalet et al. (Automatica, 1978) but in that paper there is actually no such figure, so this must be a misprint. However, Perry's handbook (1973) has the following similar figure:



## **Comment 2.** (Des. 2023) Perry (1973) also has an early description of predictive control:

Predictive Control. An analog computer, functioning as an techniques available for use on batch reactors. This example of control and the control of the control o pilot-plant reactor producing a synthetic rubber by an exothermic proteinant reactor producing a synthetic rubber by an exothermic<br>reaction. [Adams and Schooley, *Instrumentation Tech.*, 16, 57-62<br>(1969).] Heat-transfer characteristics of the reaction mixture deter-(1969).] Heat-transfer characteristics of the reaction mixture ueter-<br>iorate as reaction proceeds and temperature variations produce<br>large fluctuations in the reaction rate. Product properties are highly<br>dependent on react concentrations yield poor-quality product; additionally high monomer concentration can cause a rapid secondary reaction. The control problem is to make a batch of rubber within a small range of reaction temperature, and stop the reaction at a predetermined conversion.

The control scheme used is illustrated in Fig. 22-209. The model of reaction kinetics and energy balance is operated in parallel with the real reactor, using measured process temperatures as inputs.<br>In real time, the model calculates the current state of the reaction in terms of monomer conversion and catalyst activity. Periodically, the model is switched to fast-time operation to predict the future state of the reaction. Based on this prediction, the reactortemperature error in the controller is biased by the future temperature, giving additional controller is biased by the future temperature, giving additional control action before the reaction moved out of desired limits.

Out of desired mints.<br> **Optimizing Control.** A batch hydrogenation reaction has become the classic laboratory example of dynamic optimization of batch-unit operation. [Eckman and Lefkowitz, Control Eng., 4, 197-204 (1957).] In this example the performance variable is best described by an integral involving quantities which vary with time. Utilizing information about a typical batch, an optimum path for reaction and control parameters can be determined. Using this as a guide, each batch is closely monitored with a computer. As the a gatac, cach batch is choose months optimum are used to predict<br>and make control adjustments to keep the batch on a reaction path close to optimum.

In the simplest case such performance variables are of the form

 $I = \int_0^T f(x, x, t) dt$ 

REACTOR<br>TEMPERATURE<br>SET POINT COOLANT<br>CONTROLLER REACTOR **TEMP** REACTOR SYSTEM INITIAL<br>CONDITIONS L REAL-TIME<br>MODEL ADJUST RESPONSE ADJUST FAST-TIME COMPARE AND<br>FUTURE ERROR Fic. 22-209. Predictive-type analog-computer control of exothermic-polymerization batch reactor

Comment 3. (Des. 2023) Perry (1999) gives an example of the use of transformed inputs for linearization and feedforward (E14) for a heat exchanger (the heat exchanger example is discussed in more detail in the paper by Skogestad, Zotica and Alsop (JPC, 2023).

$$
Q = WH = FC_L(T_2 - T_1) \tag{8-74}
$$

$$
Q = WH = FC_L(T_2 - T_1)
$$
 (8-74)

Figure 8-50 shows a temperature controller (TC) setting a heatflow controller  $(QC)$  in cascade. A measurement of the manipulated flow is multiplied by its temperature difference across the heat exchanger to calculate the current heat-transfer rate, using the right side of  $Eq. (8-74)$ . Variations in supply temperature, then, appear as variations in calculated heat transfer, which the QC can quickly correct by adjusting the manipulated flow. An equal-percentage valve is still required to linearize the secondary loop, but the primary loop of temperature-setting heat flow is linear. Feedforward can be added by multiplying the dynamically compensated flow measurement of the other fluid by the output of the temperature controller.



FIG. 8-50 Manipulating heat flow linearizes the loop and protects against variations in supply temperature.

### **Comment 4. Older reference for separate controllers with different setpoints"; E6, (March 2024).**

In my paper, the oldest reference I give for using "separate controllers with different setpoints"; E6, Fig. 22) for MV-MV switching is the book by Smith (2010) (page 86) (see below). The name "separate controllers" is used by Smith (2010). However, this scheme has obviously used in industry long before this. For example, an older reference is the book by **Forsman (2005) (in Swedish)** (page 152-153).

In the section title (and also in the flowsheet, see his Figure 6.28) Forsman calls it "Many controllers with the same CV" (similar to what I call it based on Smith (2000), but in the corresponding block diagram (Figure 6.29) he calls it "Parallel control". However, I have used the term "parallel control" for the case where both controllers have the same setpoint and are used all the same time. On the other hand, in Figure 22 ("separate controllers") they are used sequentially (one at a time), that is, only when u1 is saturated do we start using u2.

So maybe it is better to call "separate controllers with different setpoints" (E6, Fig. 22) for "Sequential parallel control"? This would also make it possible to distinguish between the two similar schemes for VPC. We could call "VPC on extra dynamic input" (E3, Fig. 12) for simply "VPC" and "VPC on main steady-state input" (for MV-MV switching) (E7, Fig. 24) for "Sequential VPC" (for MV-MV switching). Comments?

### Some more details on Comment 4:

#### **This is from my paper (just a reminder):**



Fig. 13. Parallel control to improve dynamic response - as an alternative to the VPC solution in Fig. 12.

The "extra" MV  $(u_1)$  is used to improve the dynamic response, but at steady-state it is reset to  $u_{1s}$ . The loop with  $C_2$  has more integral action and wins a steady state.

3.7. Separate controllers (with different setpoints) for MV-MV switching  $(E6)$ 

Consider again MV-MV switching where we want to use one MV at a time in a specific order (first  $u_1$ , then  $u_2$ , etc.). An alternative to split range control is to use separate controllers for each MV with different setpoints (Fig. 22) (Smith, 2010) (Reyes-Lúa & Skogestad, 2019).

The setpoints  $(y_{s1}, y_{s2}, ...)$  should in the same order as we want to use the MVs. The setpoint differences (e.g.,  $\Delta y_s = y_{s2} - y_{s1}$  in Fig. 22) should be large enough so that, in spite of disturbances and measurement noise for  $y$ , only one controller (and its associated MV) is active at a given time (with the other MVs at their relevant limits).



Fig. 22. Separate controllers with different setpoints for MV-MV switching.



#### **This is what Smith (2010) writes on page 86:**

- Separate controllers for each operating mode. This normally requires that the set points for the individual controllers be separated sufficiently so that only one controller is active at a given time, the other having driven its final control element to a limit.
- *Split range.* A single controller is provided, but its output range is "split" such that one mode of operation is active from 0 to  $50\%$  and the other is active from 50 to 100%.
- Smith, C. L. (2010). Advanced process control beyond single-loop control. New York: Wilev.

### **Here is from the book by Forsman (in Swedish), pages 152-153.**

Krister Forsman, «Reglerteknik för processindustrin», Studentlitetratur, 2005



# End Comment 4

# **Comment 5 One more split range control (SRC) scheme (Alternative 4) is shown in Figure 3 below:**



This is not a really a new scheme, as it is really just another implementation of conventional SRC (see Fig. 3) and Shinskey has used it before (see below), and Evren Turan has rediscovered it (see Figure 2) and Sigurd added a litle (to get Figure 3)

It requires a selector (to subtract the actual value of u2 from u2' to get u1=u2'-u2)and thus it is very nice to combine with cases where we anyway need a min-selector (see Shibnskey

and see Fig. 1/2 below)



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### Here is from Reyes-Luas and Skogestad (2020) where we refer to Shinskey.

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Figure 9. Alternative scheme for MV to CV switching when the input saturation rule is not followed.

An alternative solution from Shinskey<sup>37</sup> is shown in Figure 9. Here, controllers  $C_1$  and  $C_2$ , for  $y_1$  and  $y_2$ , are both designed for using  $u_2$  as the input. We then have a selector for  $u_2$ , followed by a subtraction block that effectively does the split range control. Controller  $C_2$  is used for controlling  $y_2$  using  $u_2$  as the input.  $C_2$ needs antiwindup because  $u_2$  is reassigned to controlling  $y_1$  when  $u_1$  saturates. Controller  $C_1$ , which controls  $y_1$ , is always active. It uses  $u_1$  to control  $y_1$  when  $u_1$  is not saturated and switches to using  $u_2$  when  $u_1$  saturates. The "extra" control element for input  $u_1$  ( $C'_1$  in Figure 9) can be just a gain, but it can also contain lead-lag dynamics. Note that the subtraction block in Figure 9 provides some built-in decoupling, which may be advantageous dynamically in the unconstrained case when both  $y_1$  and  $y_2$  are controlled.

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### **End Comment 5.**