

PREDICTIVE FUNCTIONAL CONTROL

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**WHO INVENTED
PREDICTIVE CONTROL ?**

ERGONOMY OF FLIGHT CONTROL

- In the fifties :
- How the pilot manages his aircraft ?
- What operating image ?
- Comparison between:
- Human control and Automatic control :

SURPRISE !

Jean Piaget (1896 / 1980)

- Swiss Grand Father of Cognitive Psychology
- How the child learns and controls his environment

Four phases!

4 PIAGET BASIC PRINCIPLES

– OPERATING IMAGE

– TARGET – Sub TARGET

– ACTION

– COMPARISON BETWEEN

PREDICTED AND ACHIEVED
RESULT

–INTERNAL MODEL

-REFERENCE TRAJECTORY

-STRUCTURATION OF THE MV

-ERROR COMPENSATION

• *NATURAL CONTROL : “ YOU DO NOT DRIVE YOUR CAR WITH A PID SCHEME ”*

PREDICTIVE CONTROL

IS NOT

AN INVENTION

BUT A DISCOVERY!

ELEMENTARY TUTORIAL EXAMPLE

$$P = \frac{G e^{-\theta s}}{1 + Ts} = M = \frac{y}{u}$$

$$\theta = T_{\text{samp}} \cdot r$$

$$y(n) = \alpha y(n-1) + (1 - \alpha) \cdot u(n-1-r) \cdot G \quad \alpha = e^{-\frac{T_{\text{samp}}}{T}}$$

$$\text{Processus with delay } y_{Pr}(n) = y_P(n) + y_M(n) - y_M(n-r)$$

$$\text{Target : } \Delta P(n+H) = (C - y_{Pr}) (1 - \lambda^H)$$

Model :

$$\begin{aligned} \text{Free mode} & \quad y_M(n) \alpha^H \\ \text{Forced mode} & \quad u(n) \cdot GM \left(1 - \alpha^H \right) \\ \text{(Liebniz 1674)} & \end{aligned}$$

Control equation :

Model increment :

$$\text{Increment} = \text{Free}(n+h) + \text{Forced}(n+h) - y_{\text{model}}(n)$$

The only mathematical problem for trainees ...!

$$\Delta P(n+H) = \Delta M(n+H)$$

$$(C - y_{Pr}(n)) (1 - \lambda^H) = y_M(n) \alpha^H + u(n) GM(1 - \alpha^H) - y_M(n)$$

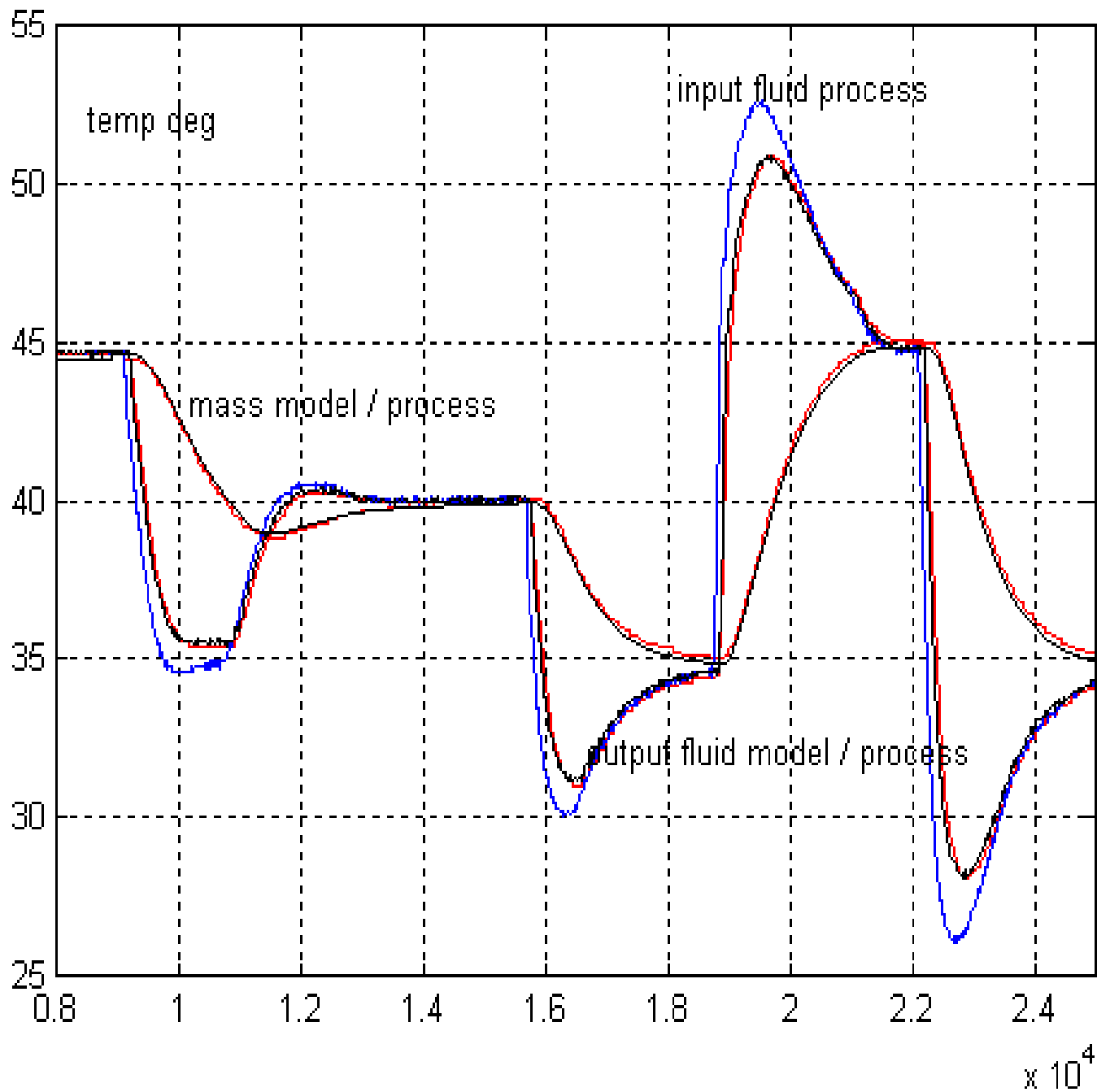
$$u(n) = \frac{(C - y_{Pr}(n)) (1 - \lambda^H)}{GM(1 - \alpha^H)} + \frac{y_M(n)}{GM}$$

Trajectory expo. : λ

1 coincidence point: H

1 Base function: step

REACTOR TEMP MASS / FLUID OUTPUT



BAYER
reactor

TEMPERATURE DE MASSE

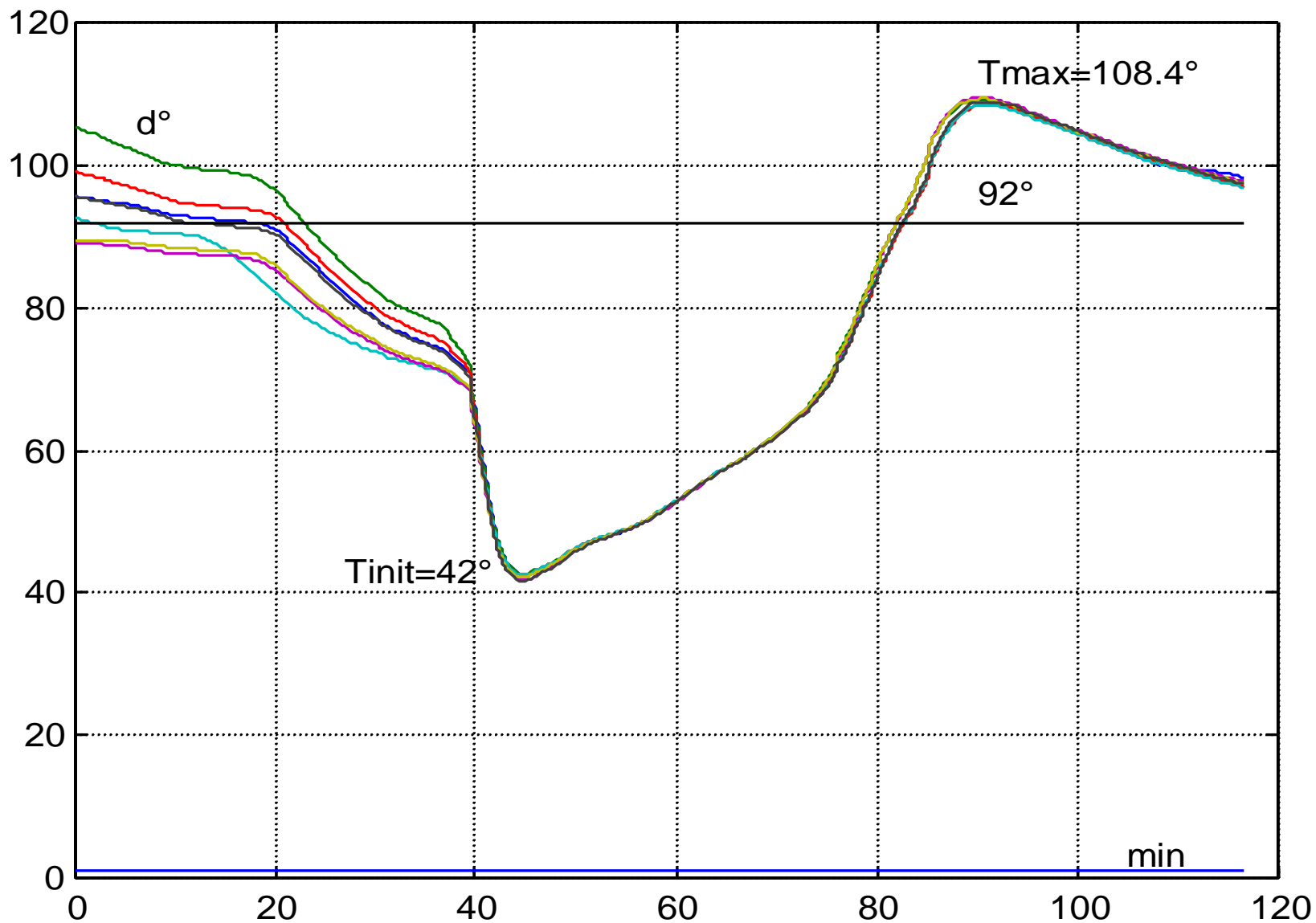
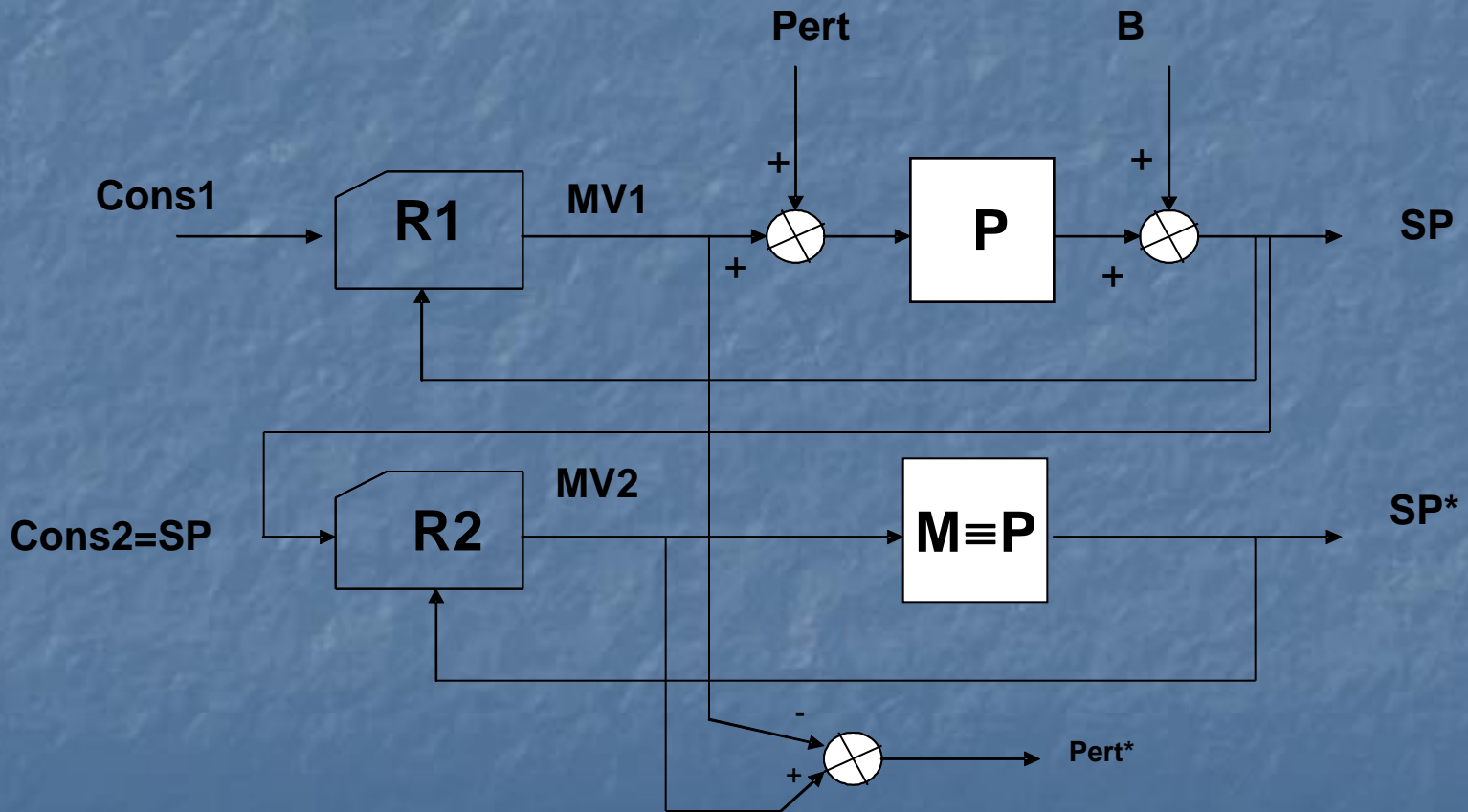


Figure 4

ON LINE ESTIMATOR of DISTURBANCES



ESTIMATION DE L'EXOTHERMICITE

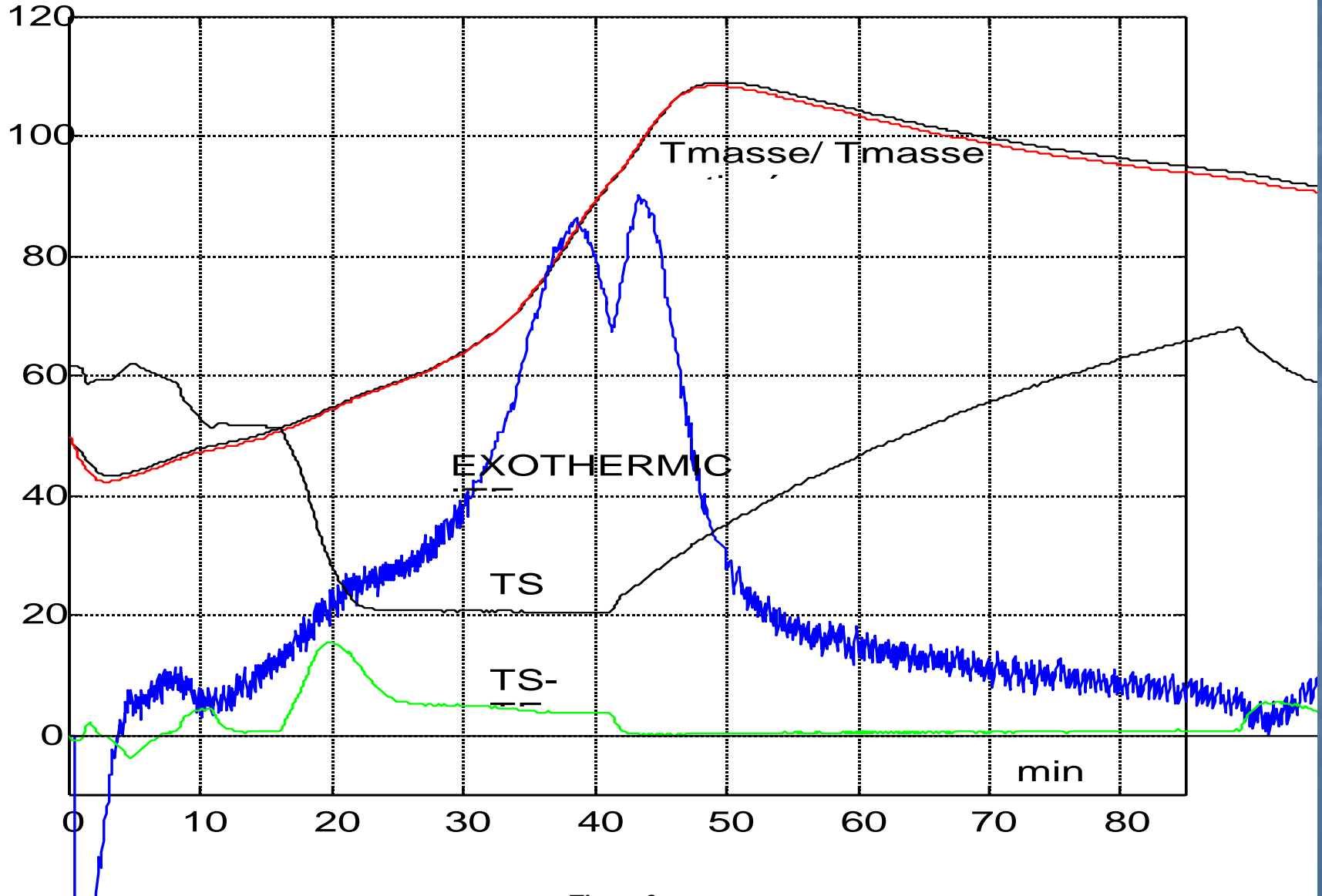
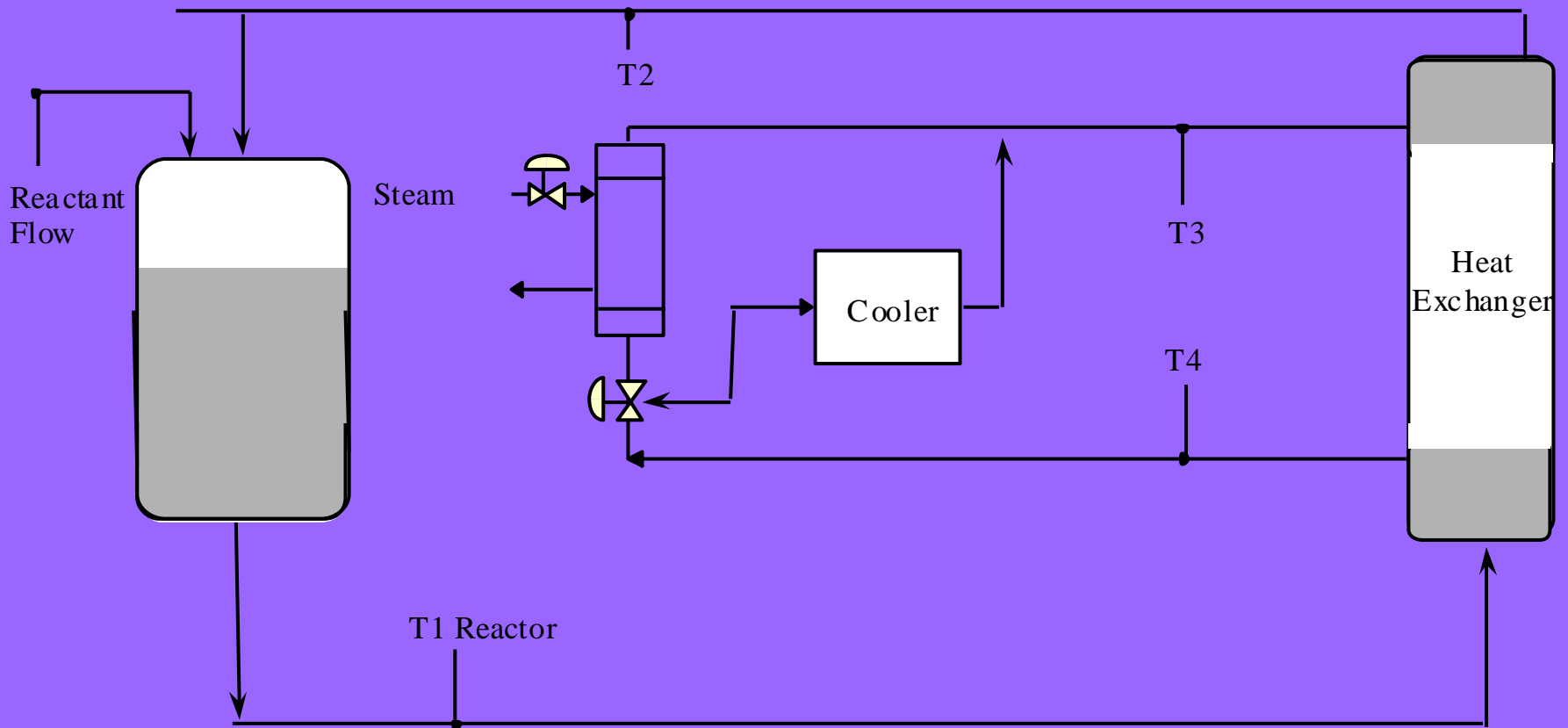
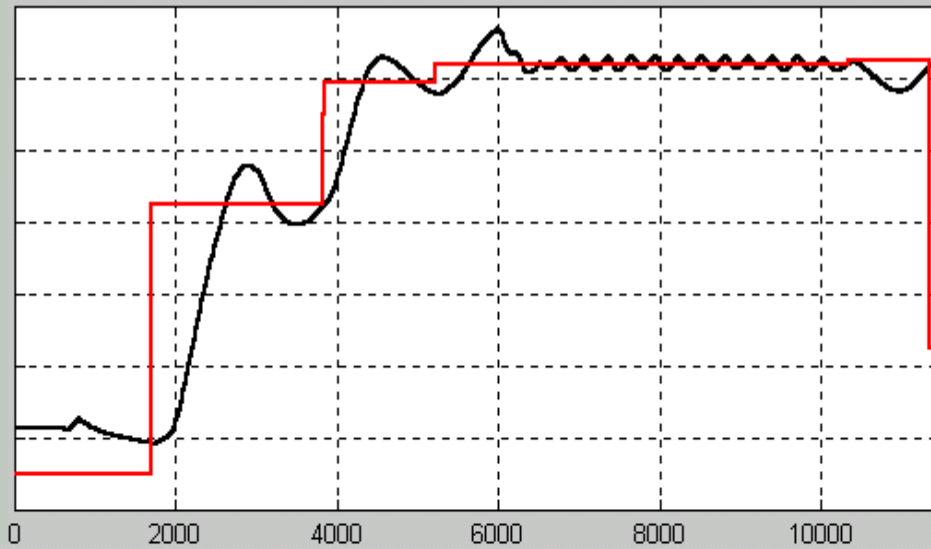


Figure 3

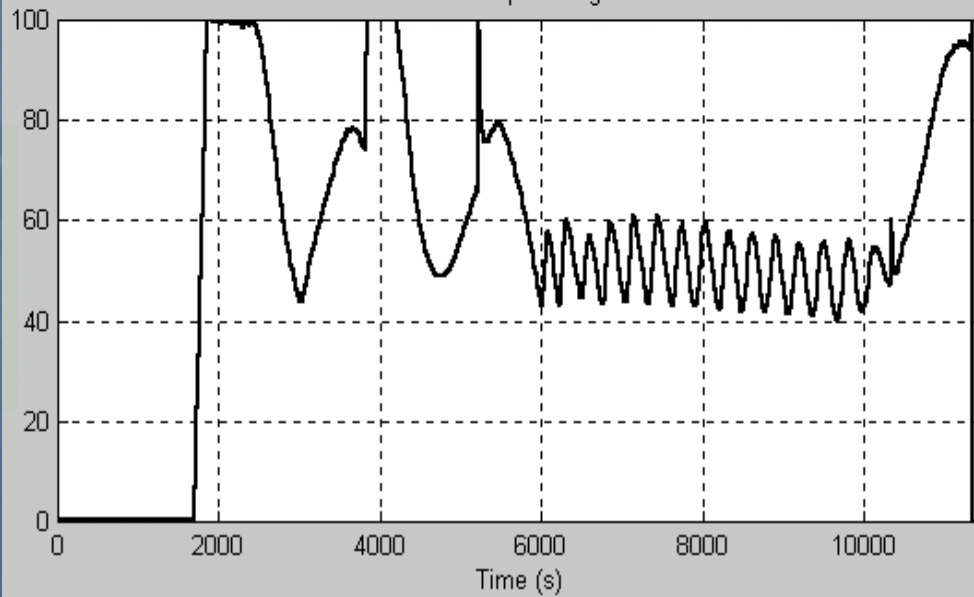


BASF

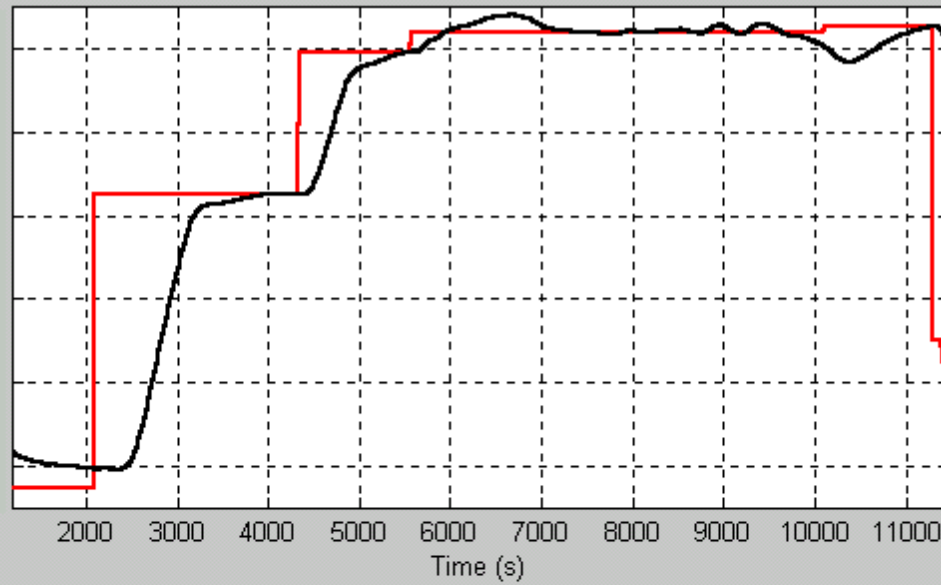
PID Control Treactor



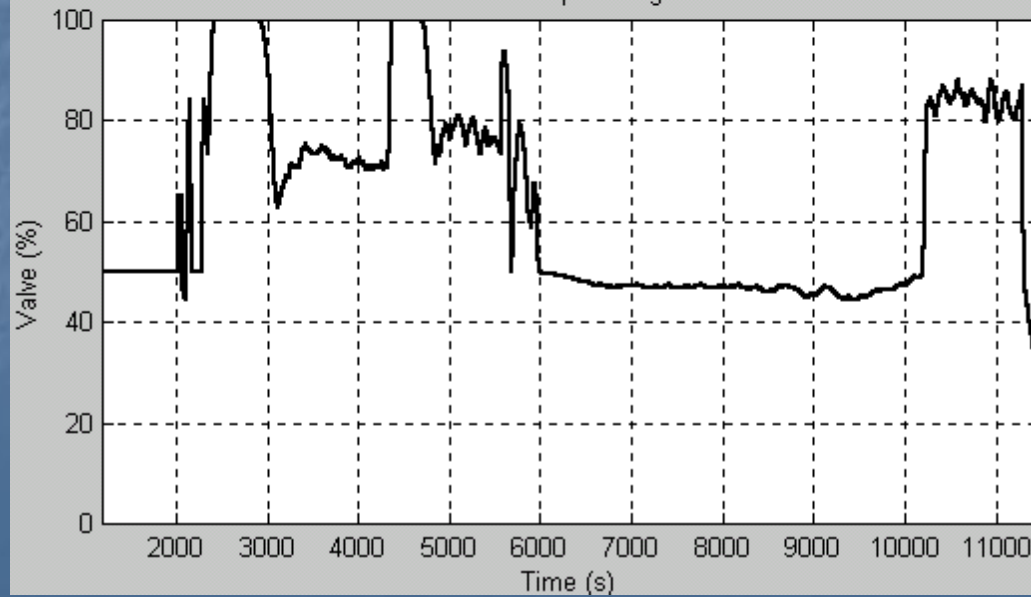
PID Control Split-Range Valve



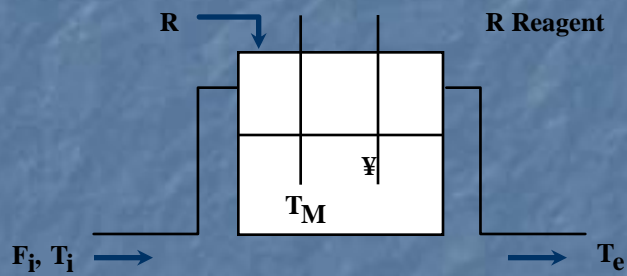
PCR Control Treactor



PCR Control Split-Range Valve



4 CONTROL STRATEGIES OF BATCH REACTORS



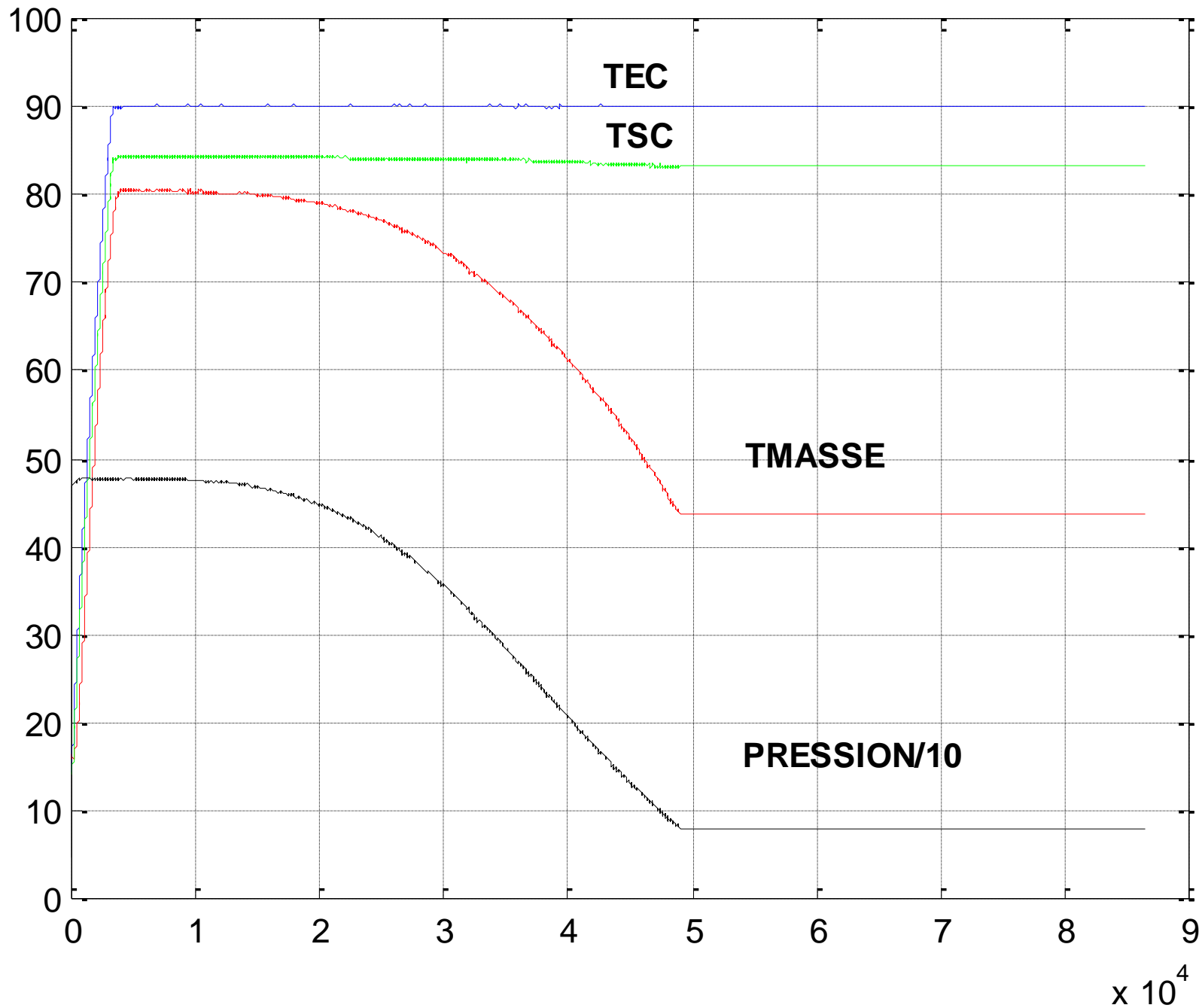
$$\rho_M \cdot C_{pM} \cdot V_M \cdot \frac{dT_M}{dt} = U \cdot A \cdot (T_e - T_M) + \Delta H \cdot X$$

$$\rho_e \cdot C_{pe} \cdot V_e \cdot \frac{dT_e}{dt} = \rho_e \cdot F_i (T_i - T_e) + U \cdot A \cdot (T_M - T_e)$$

$$\rightarrow q(F_i) \dot{T}_M + T_M = T_i$$

- 1) $F_i = \text{ct} / MV = T_i \quad CV = T_M / \text{level } 0 = T_i ? \quad \text{:PFC}$
- 2) $T_i = \text{ct} (!) \quad MV = F_i \quad \text{Parametric Control non linear} \quad \text{:PPC}$
- 3) $MV : T_i \text{ and } F_i : \text{Enthalpic control (power)} \quad \text{:PPC+}$
- 4) $MV : \text{Pressure of reactor} \quad \text{:PFC}$

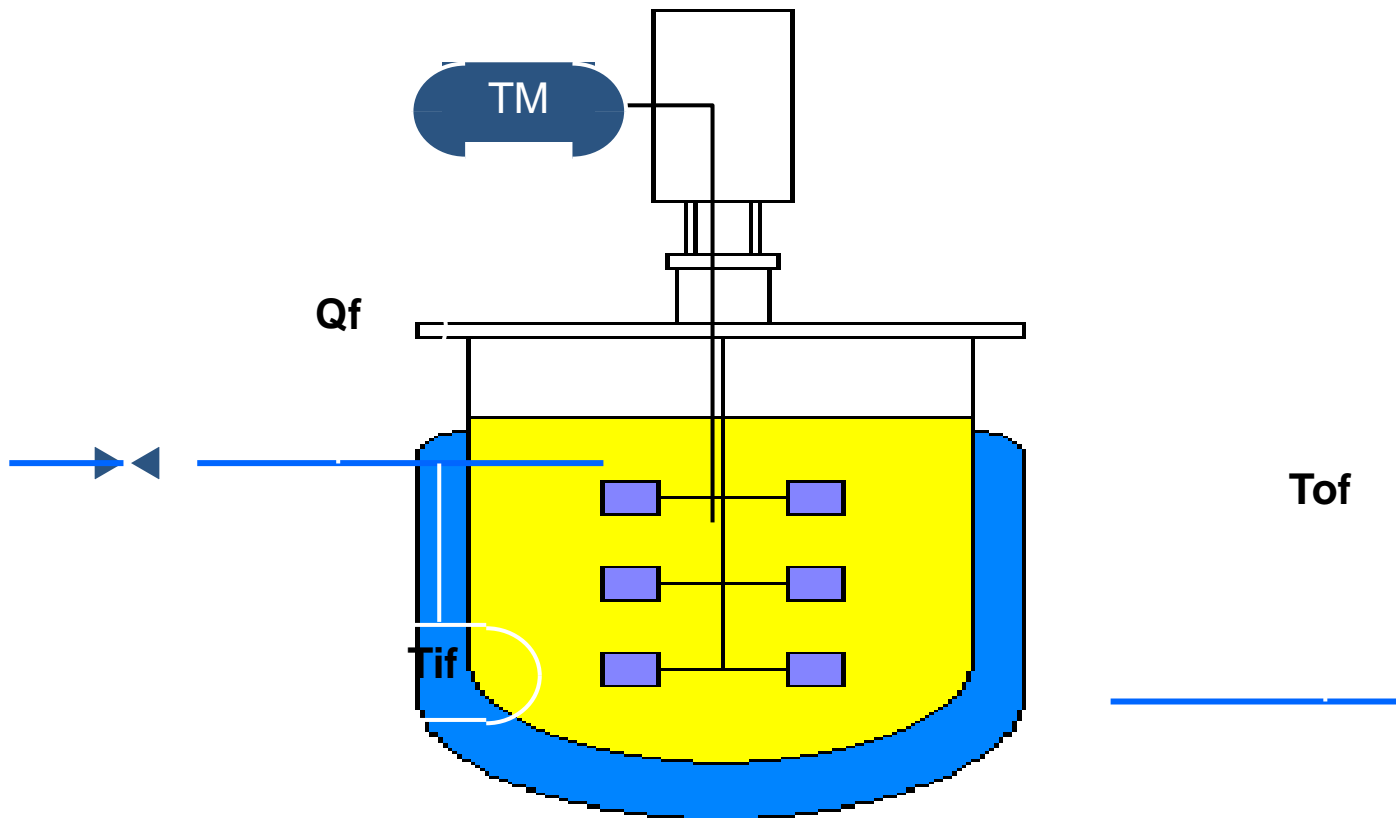
Commande en pression à TEC constante



Batch Reactor :

$$MV=Qf / CV= TM$$

DEGUSSA EVONIK



Identification of characteristics

Q_f : flow

V_m : mass volume

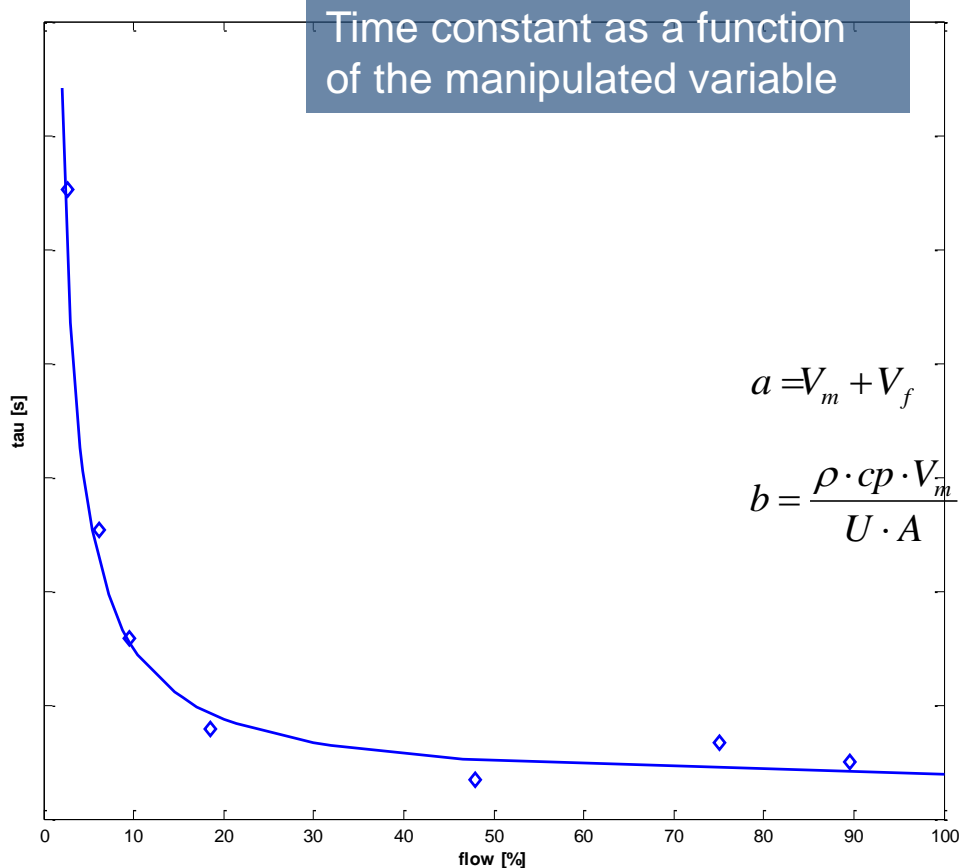
V_f : jacket volume

r : density

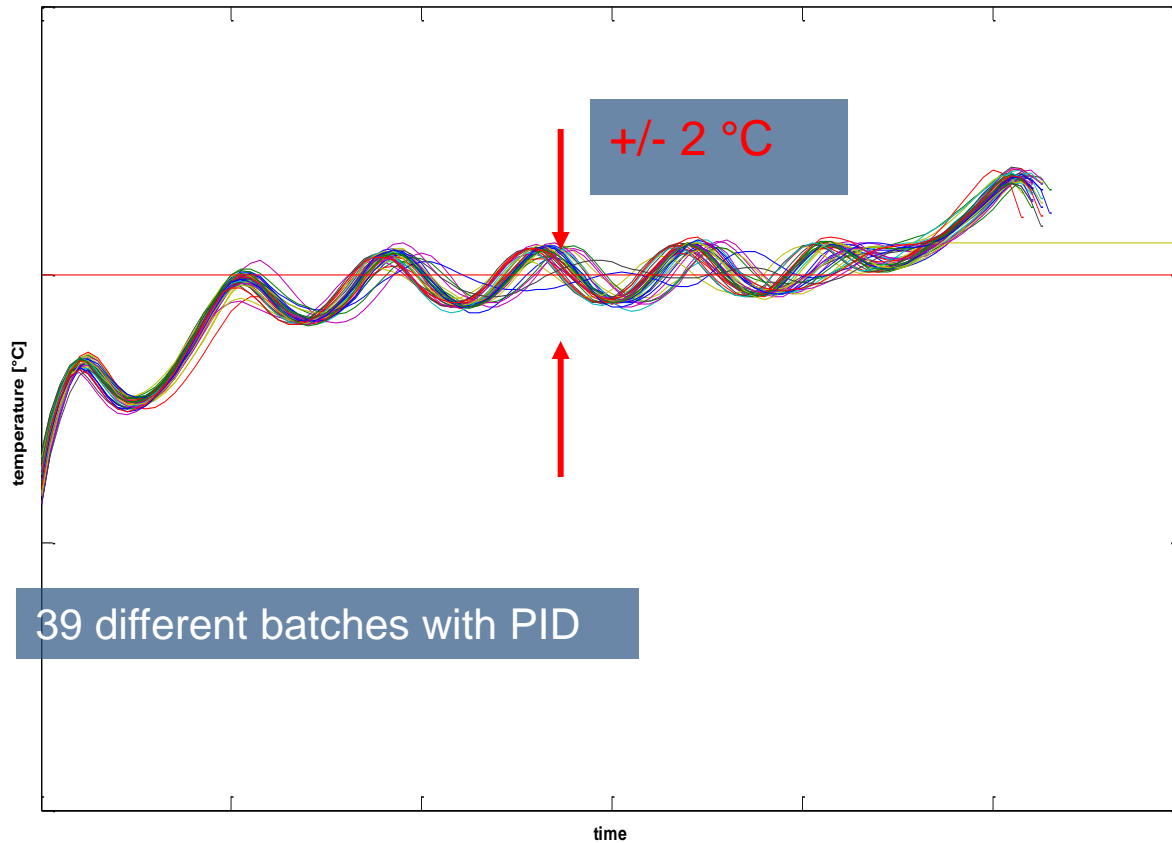
cp : heat capacity

U : constant

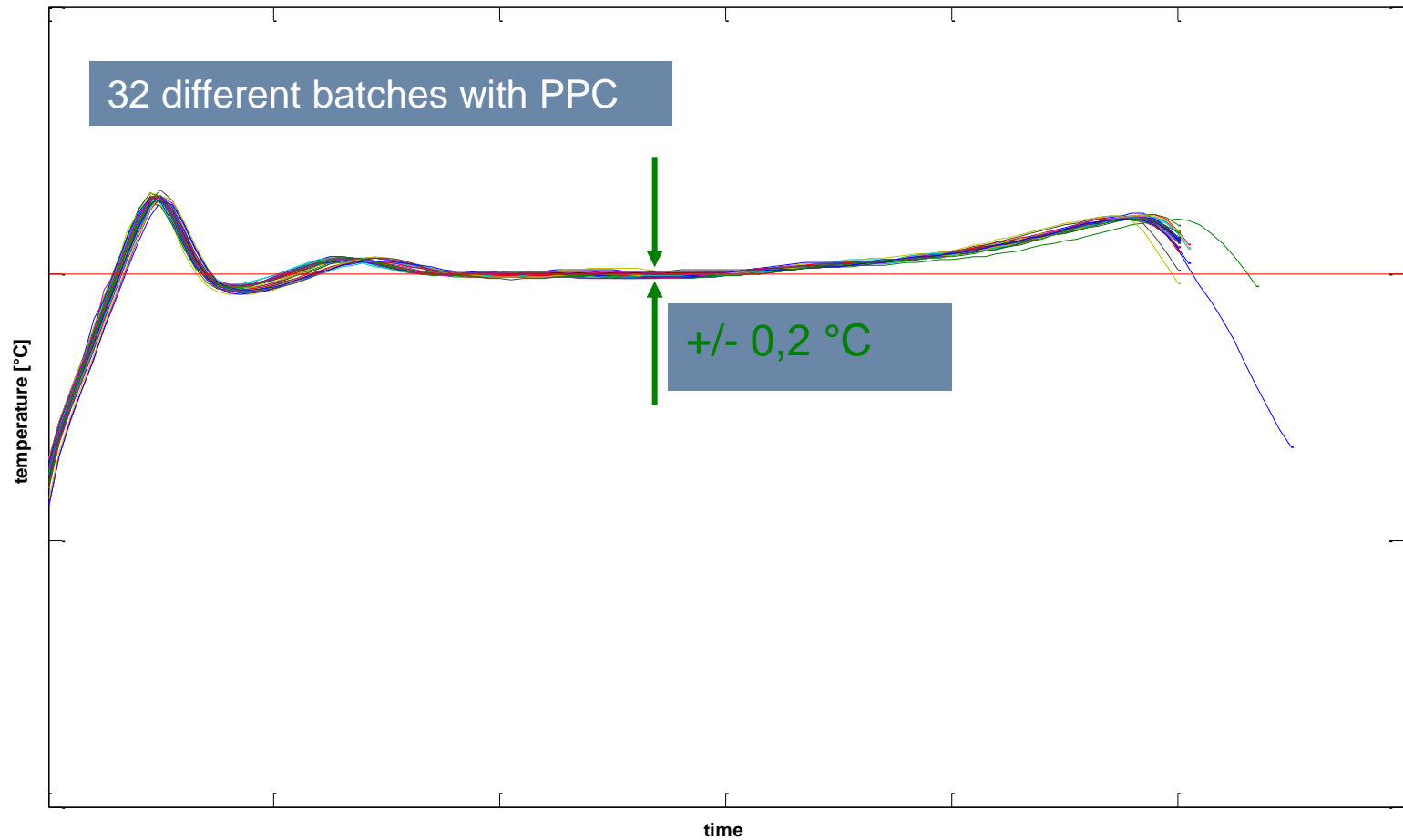
A : heat transfer surface



Control PID Degussa / EVONIK



Control PFC Degussa / EVONIK





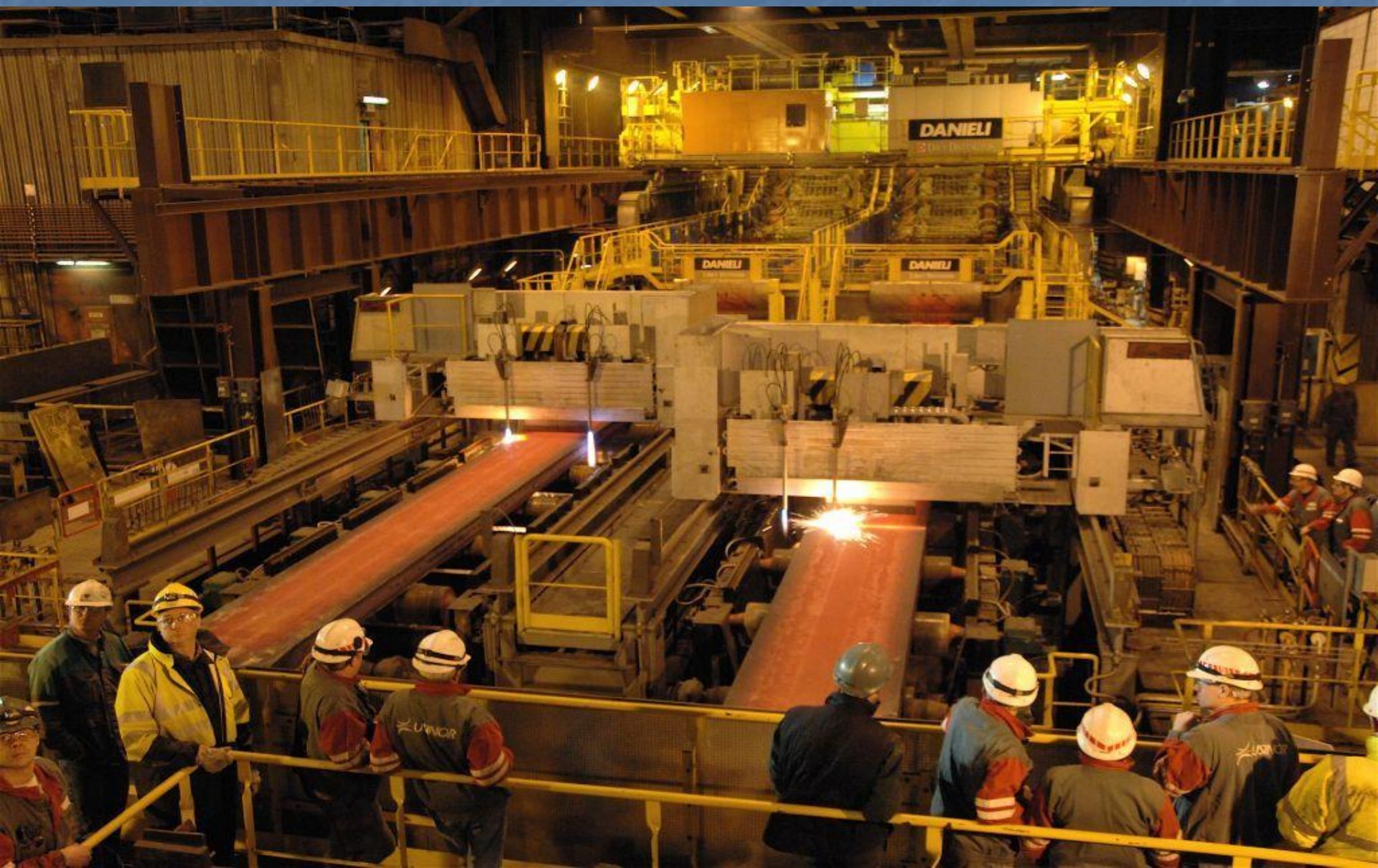
ArcelorMittal

Régulation de Niveau d'Acier en Lingotière sur Machine de Coulée Continue :

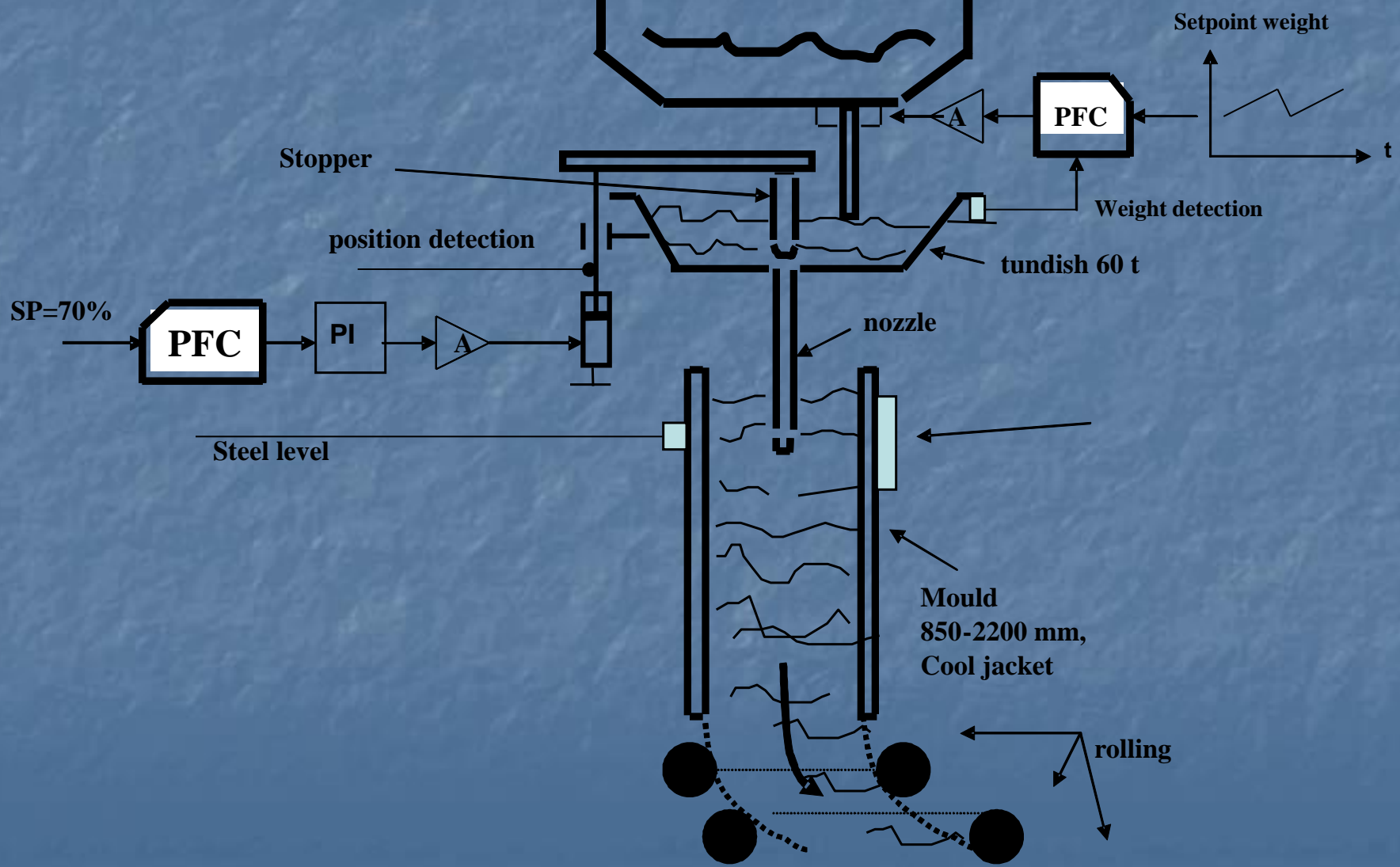
Aciérie de Dunkerque

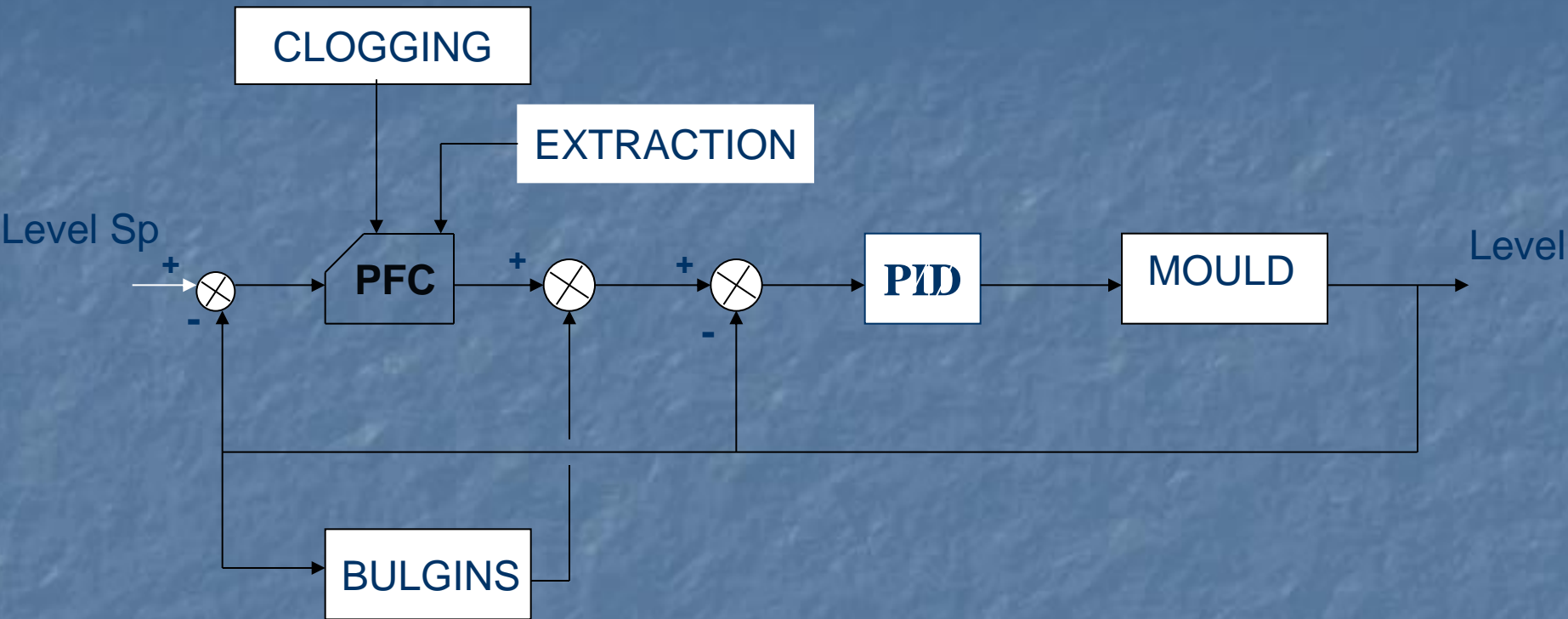
22/06/2012

CONTINUOUS CASTING



Steel ladle 335 t , 1550 °C





TRANSPARENT CONTROL
3 MODULES

IDENTIFICATION

- **Ultra-low level test signals !!**

 - « I do want to see your test signal on the level ..!«

- **Set of harmonics signals**

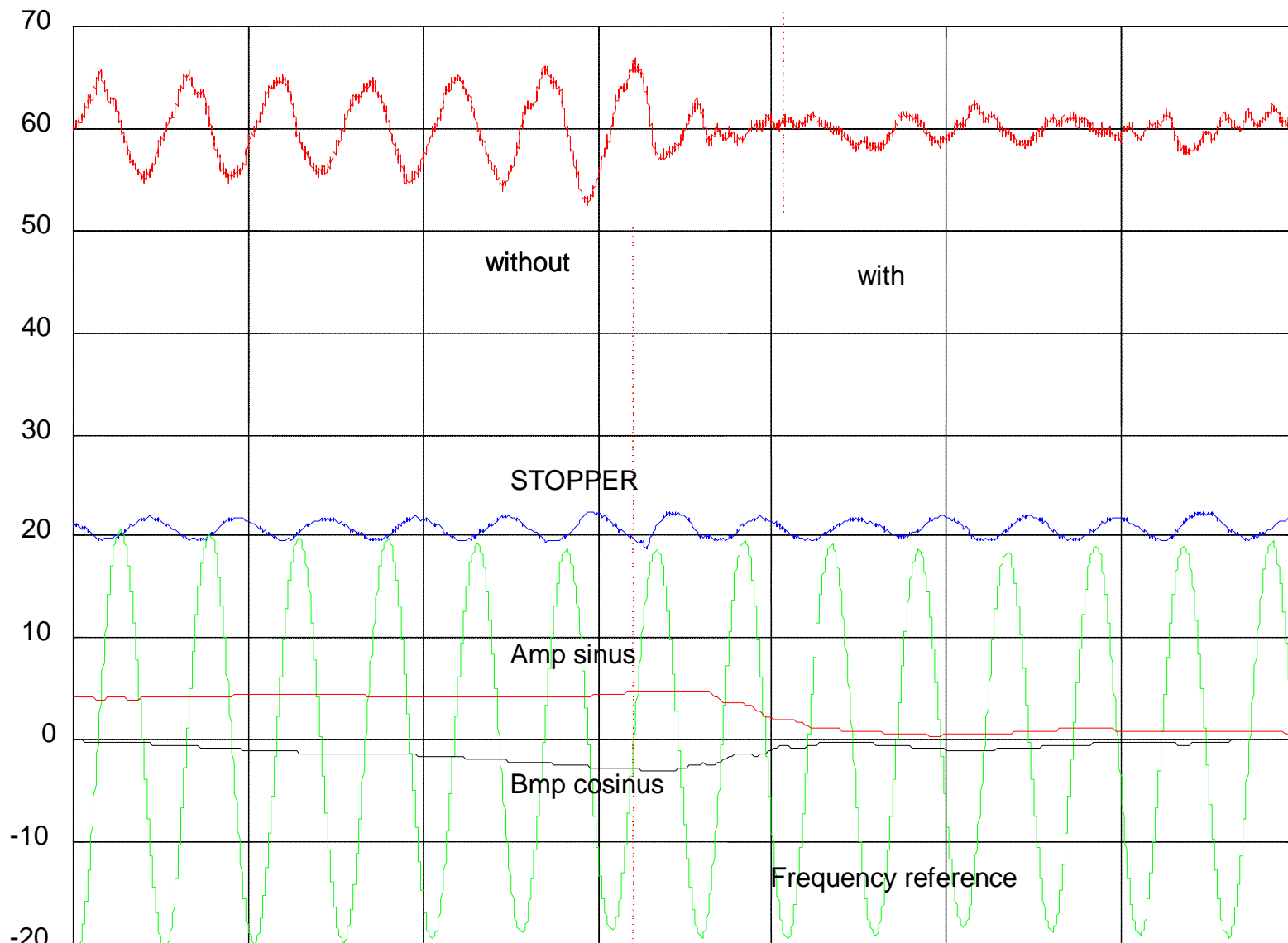
 - Eigen function

- **High level Parallel filtering**

- .- **Different metal alloys**

COMPLEX ALGEBRA PREDICTIVE CONTROL ?!

BULGING COMPLEX CONTROL

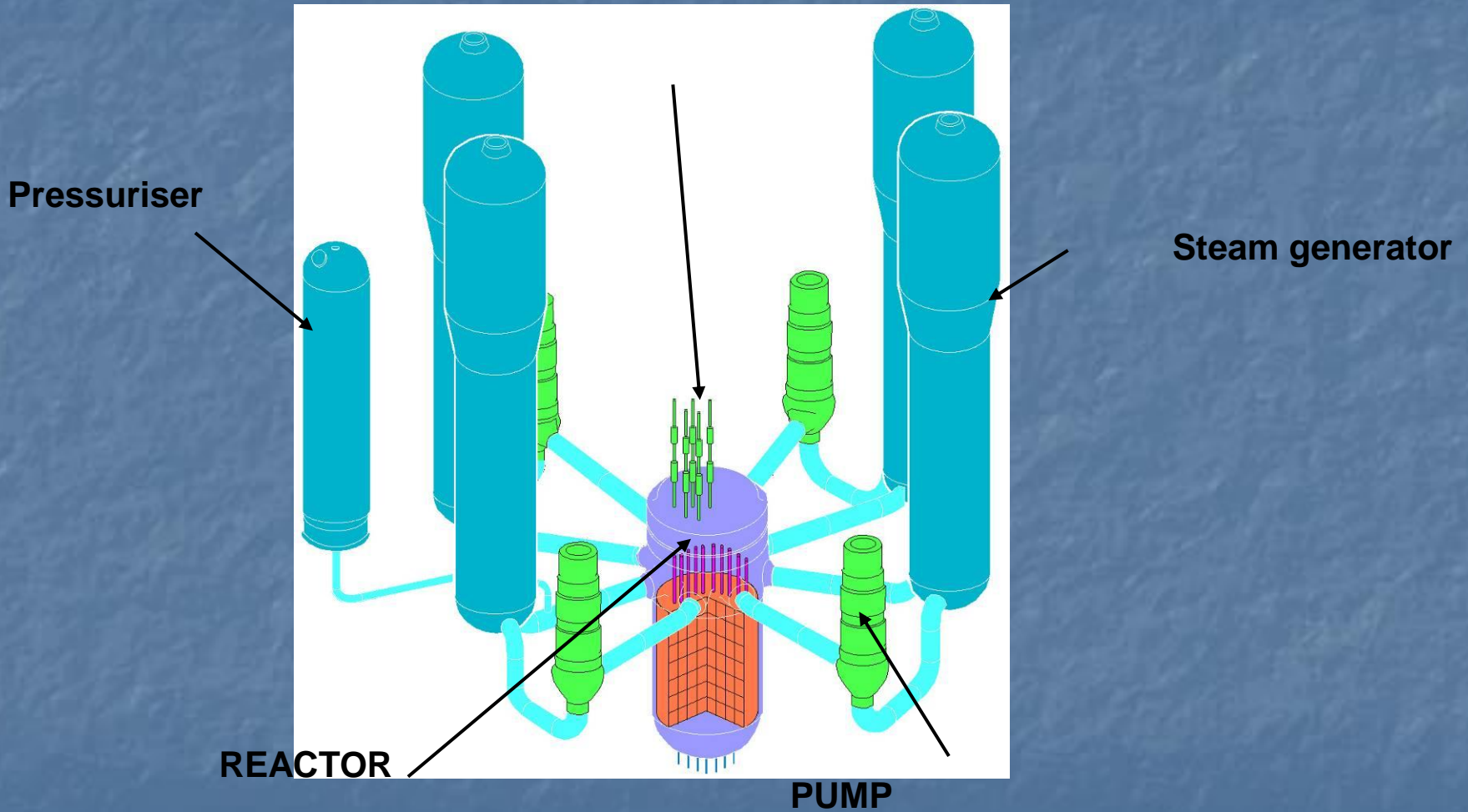




Bench test of pump gaskets

- Flow : **35000 m³/h**! ?
- Pressure : 17.50 MPa
- Temperature : 330 d°

CONTROL ENVIRONMENT

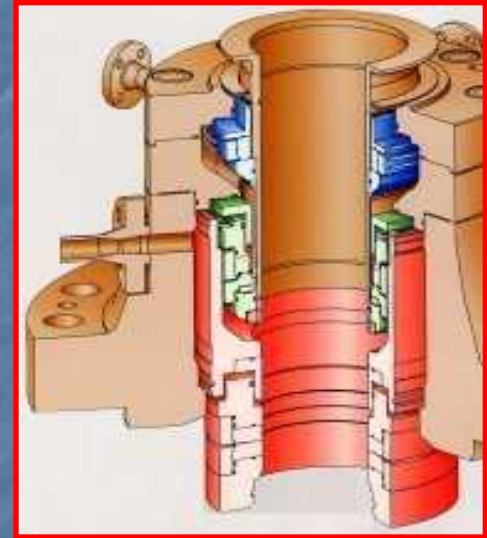
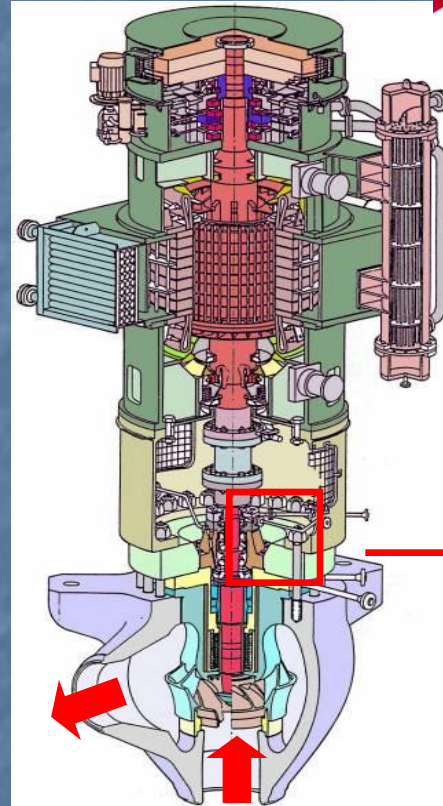


PFC controller



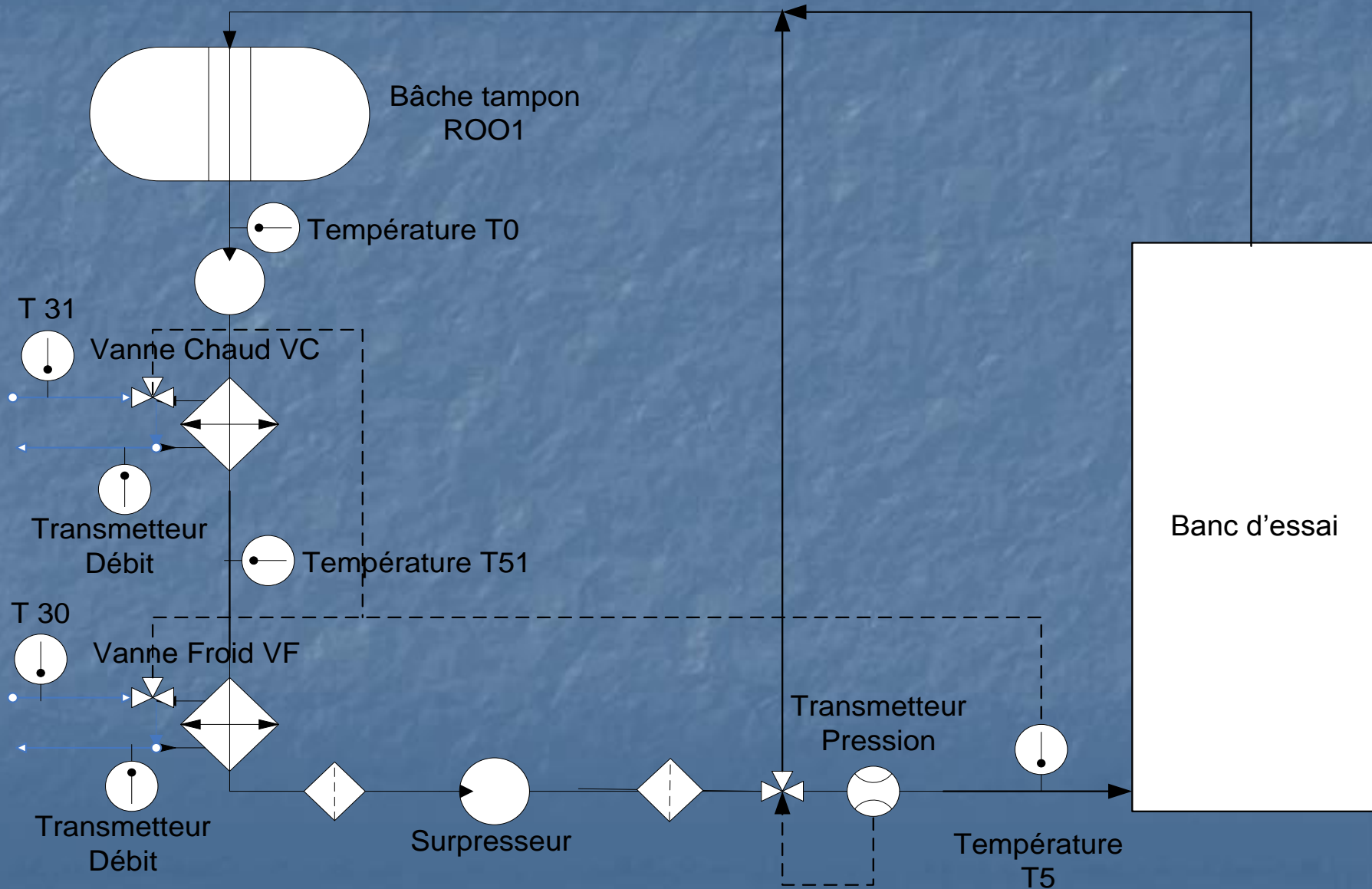
Engine

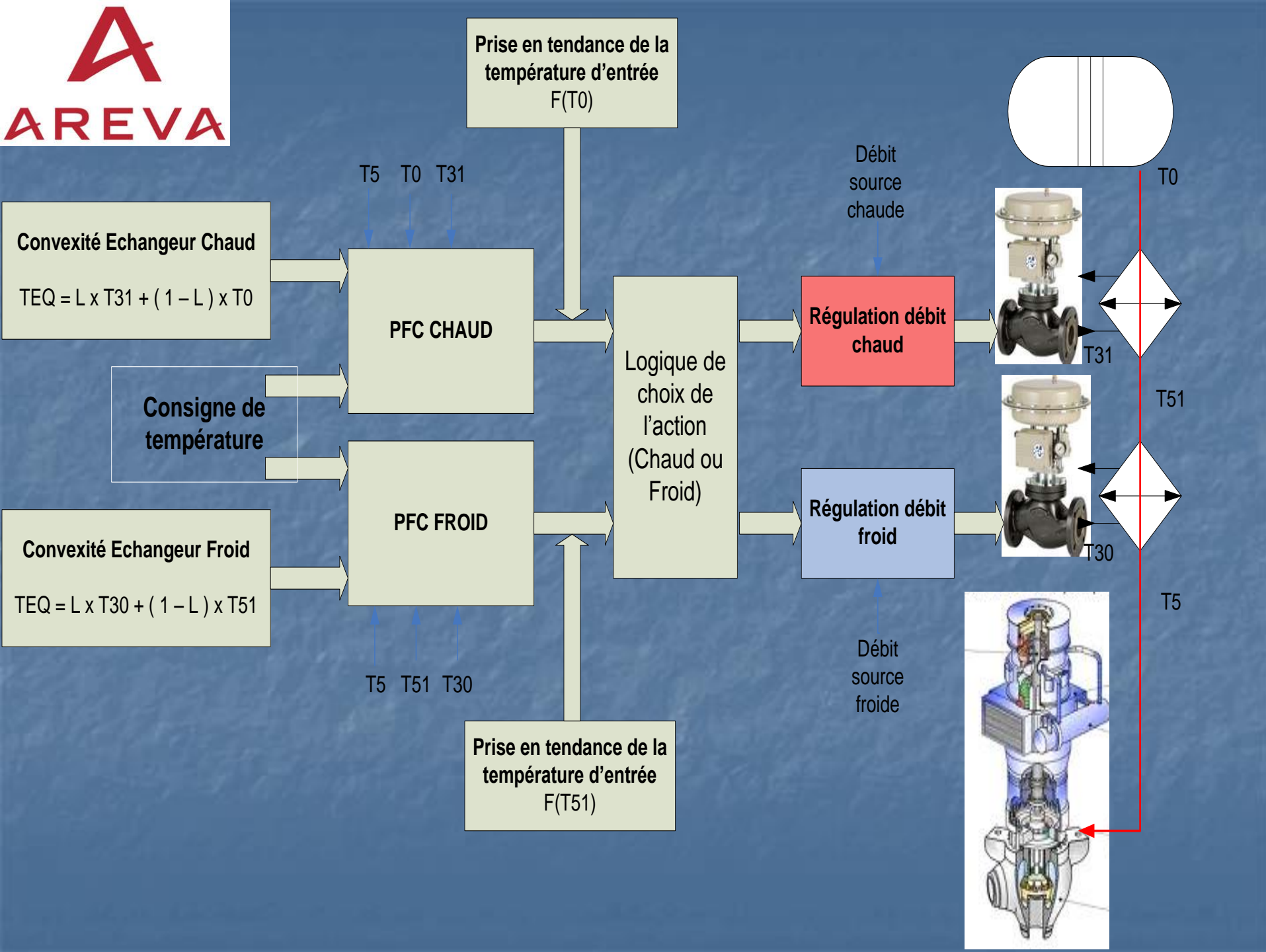
Pump

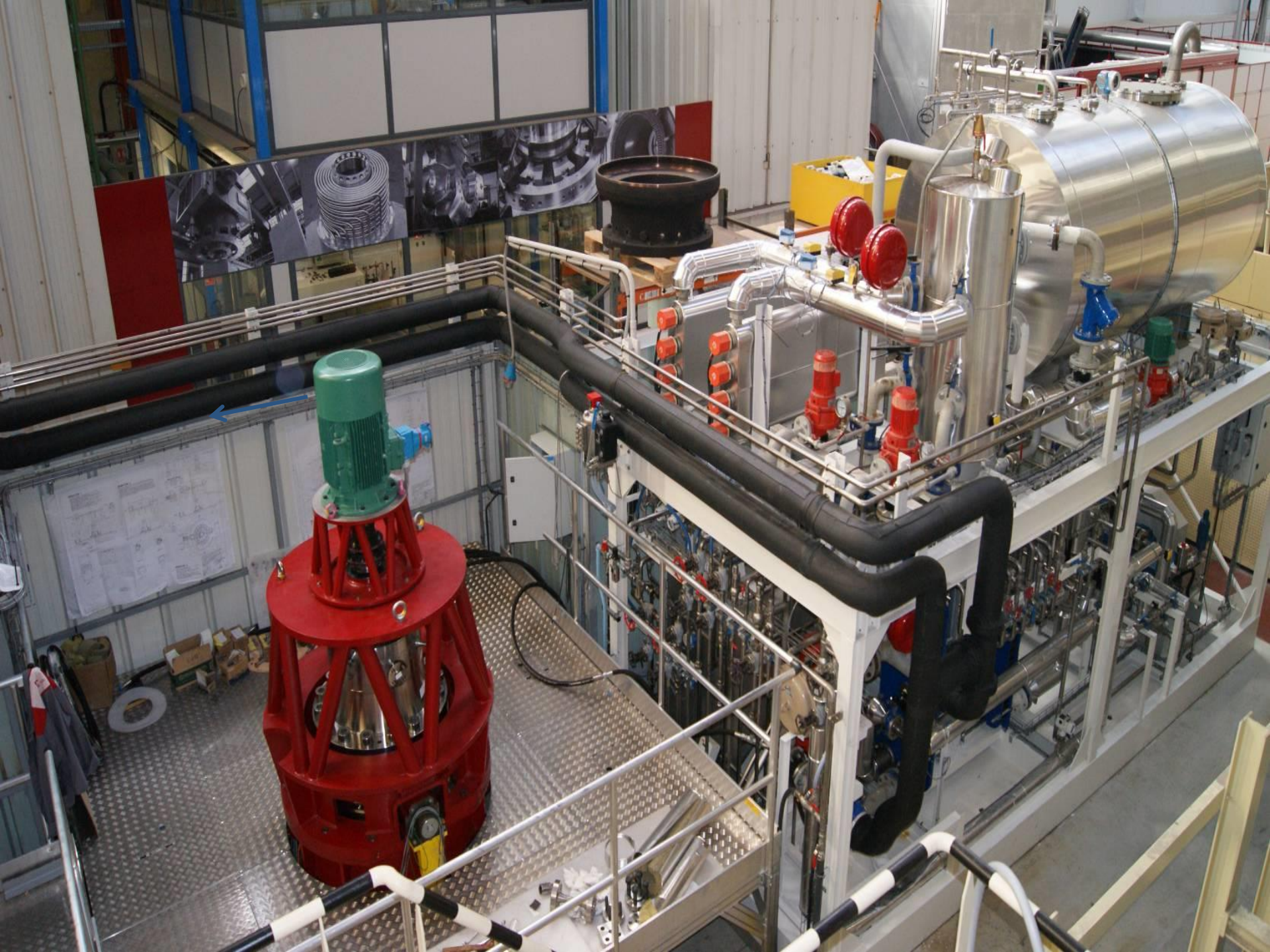


Support

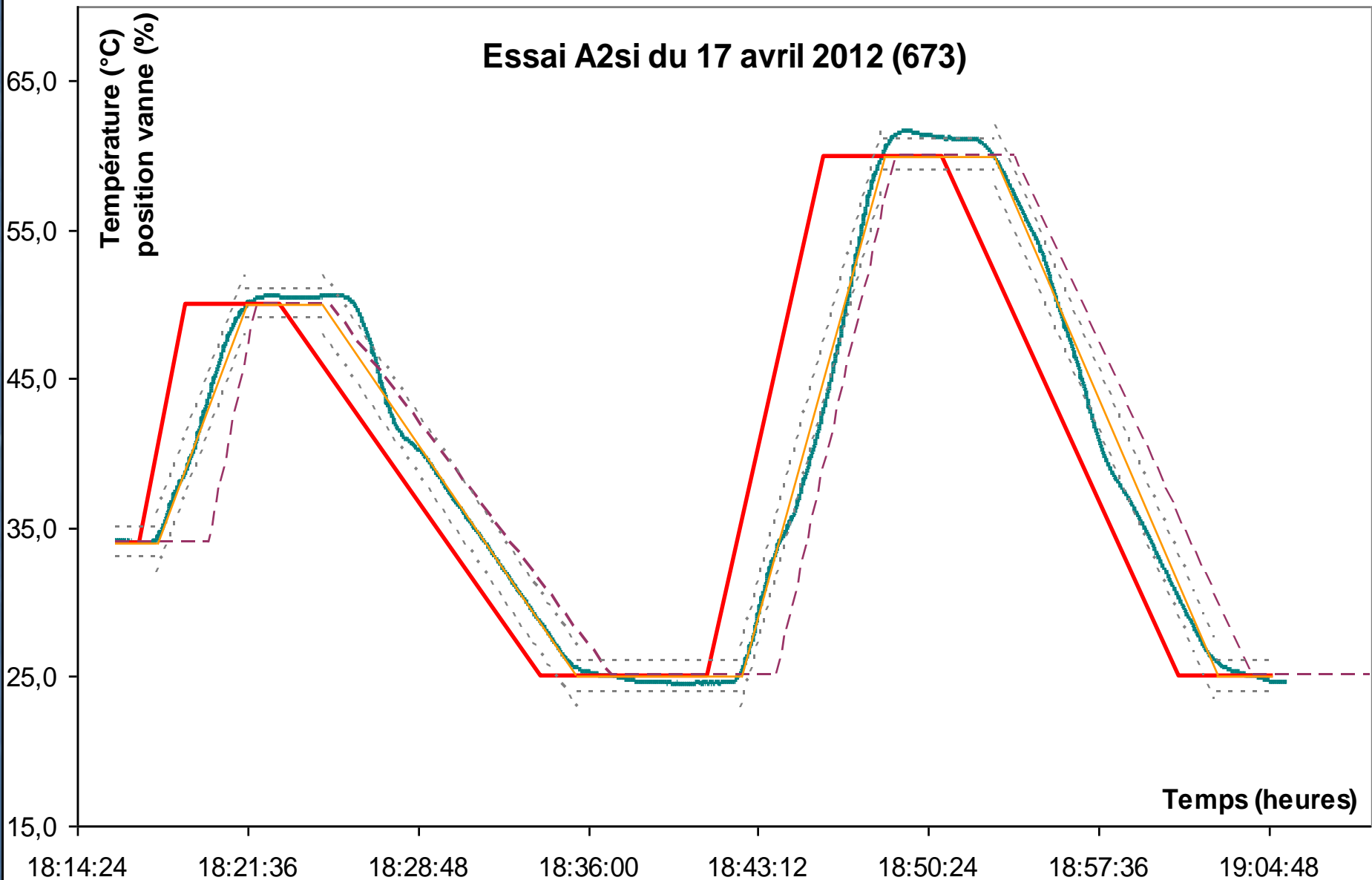
- ▶ Size : 10 m
- ▶ Mass : 100 tons
- ▶ Flow: ~35000 m³/h



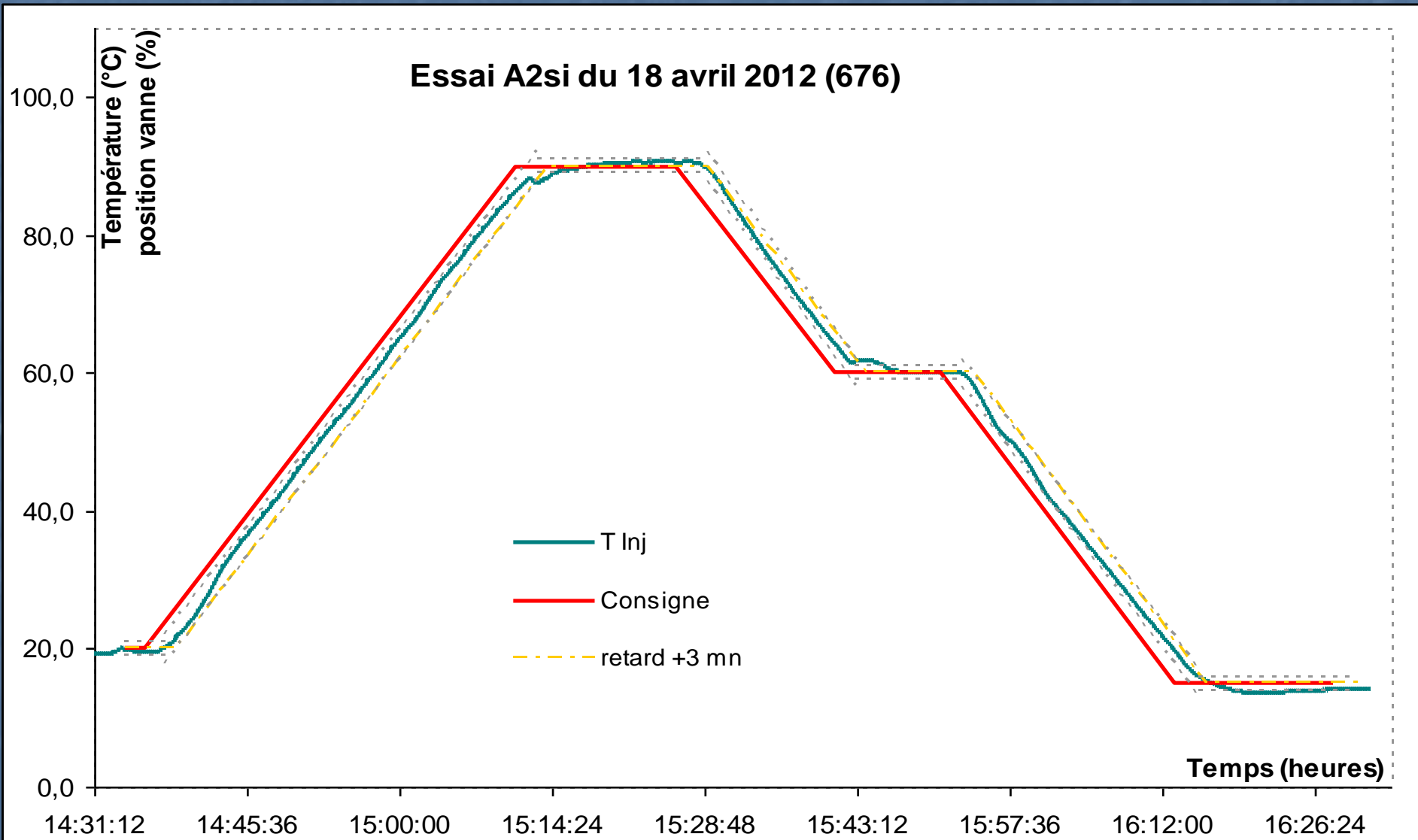


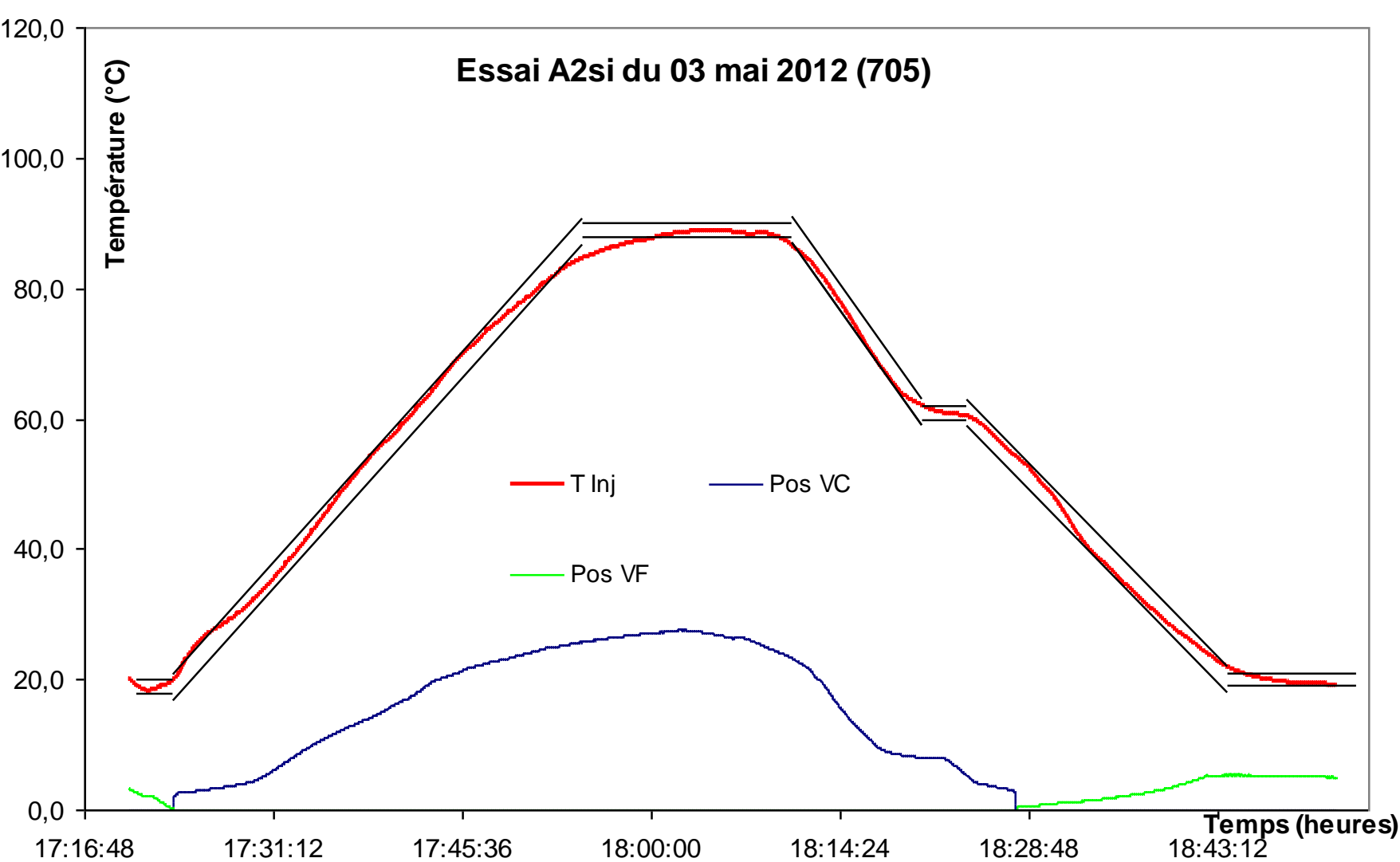


Essai A2si du 17 avril 2012 (673)



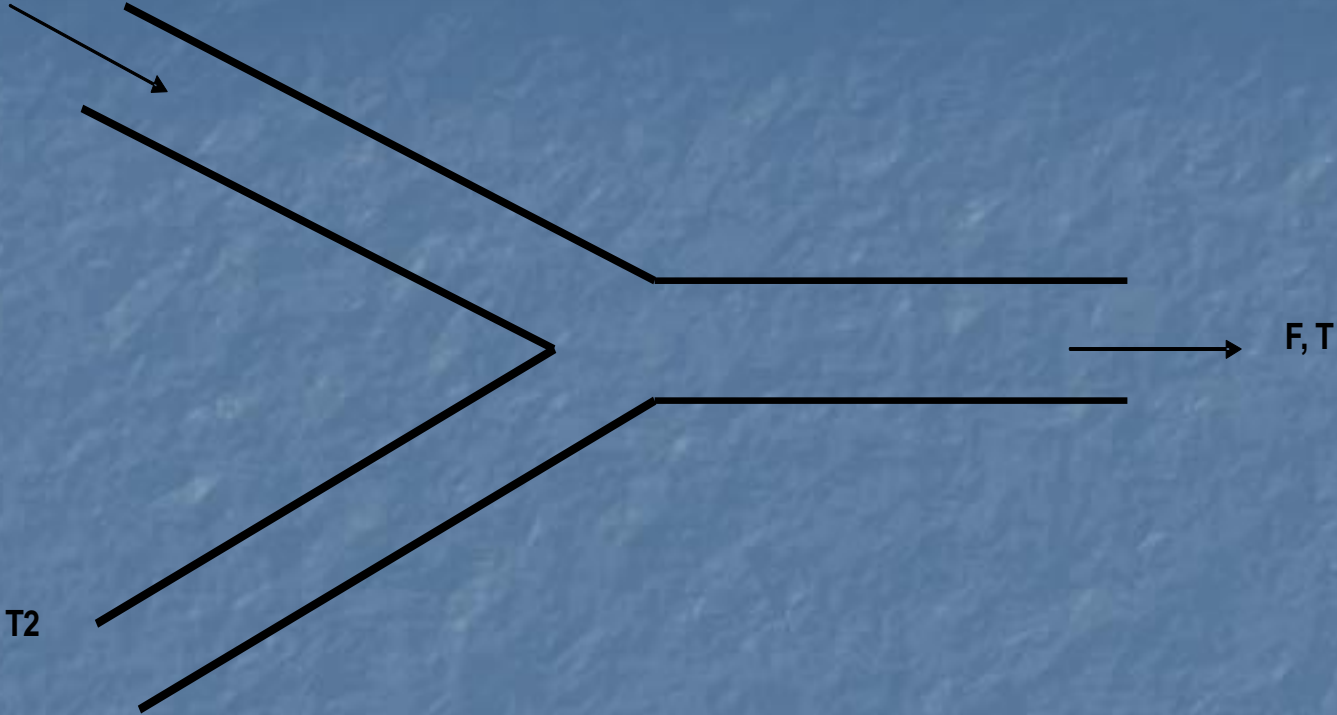
Essai A2si du 18 avril 2012 (676)





Convexity Theorem

F1, T1

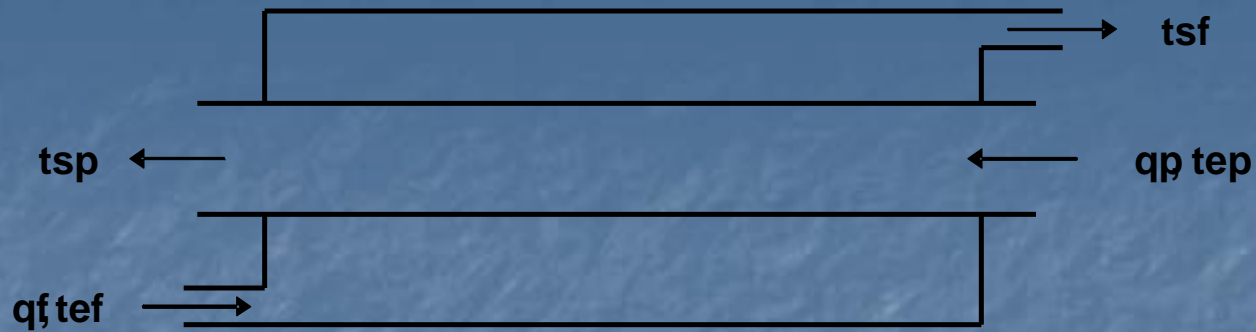


F2, T2

$$F.T = F1.T1 + F2.T2 \quad (\text{enthalpic balance})$$

$$T = \lambda.T1 + (1 - \lambda).T2 \quad \text{with} \quad 0 \leq \lambda \leq 1$$

$$\text{Hyperbolic function !} \quad \lambda = F1 / (F1 + F2)$$



$$\Gamma(\mathbf{Qf}) = \frac{1 - \exp\left[-\mathbf{U.A}\left(\frac{1}{\mathbf{Fp}} - \frac{1}{\mathbf{Ff}}\right)\right]}{1 - \frac{\mathbf{Fp}}{\mathbf{Ff}} \exp\left[-\mathbf{U.A}\left(\frac{1}{\mathbf{Fp}} - \frac{1}{\mathbf{Ff}}\right)\right]}$$

Fp, Ff : Thermal flows

$$\mathbf{Fp} = (\rho \cdot \mathbf{Cp})_p \cdot \mathbf{Qp} \quad \mathbf{Ff} = (\rho \cdot \mathbf{Cp})_f \cdot \mathbf{Qf}.$$

SANOFI

VERTOLAY

VITRY sur SEINE

ARAMON

MONTPELLIER

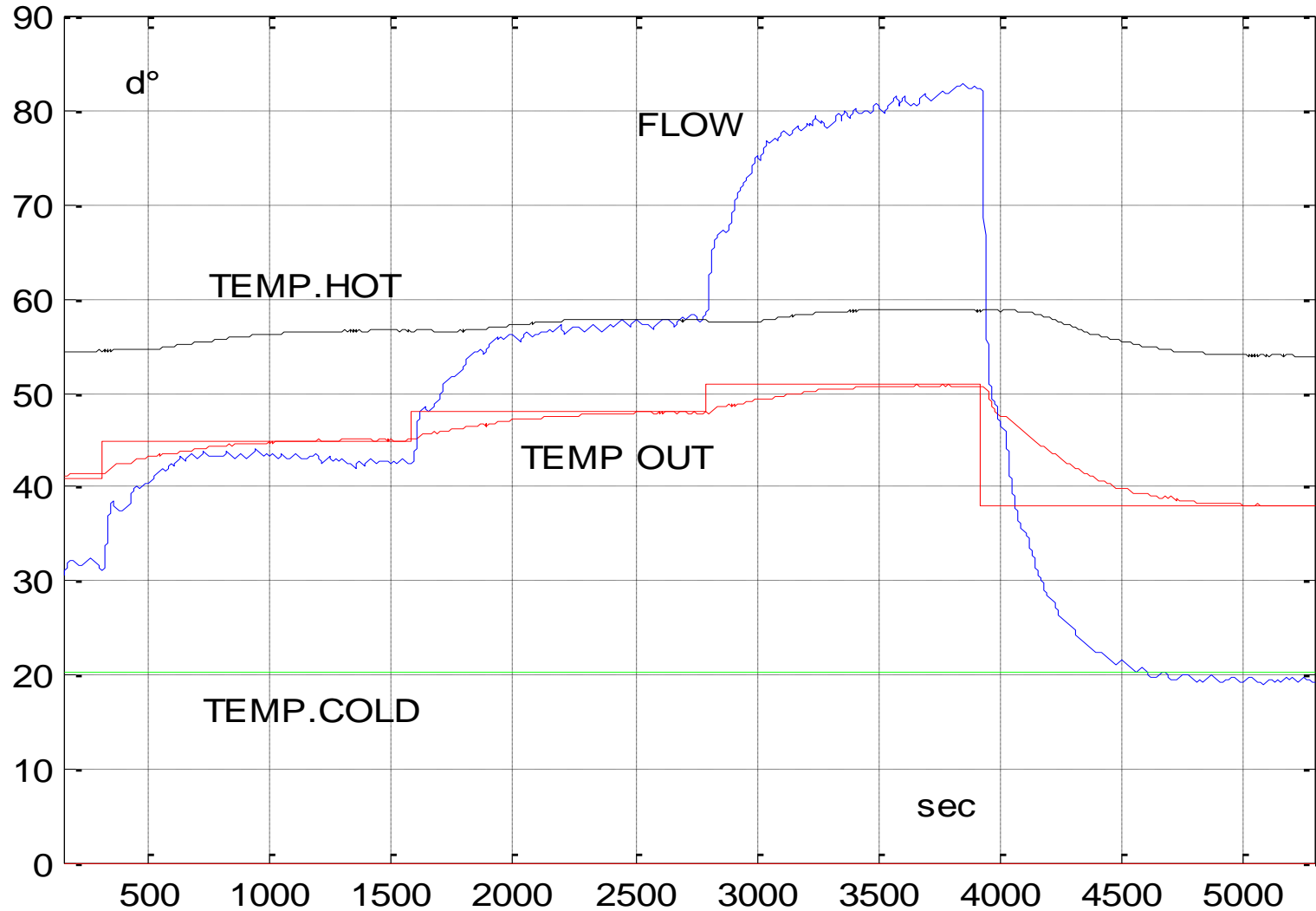
KÖLN

ELBEUF

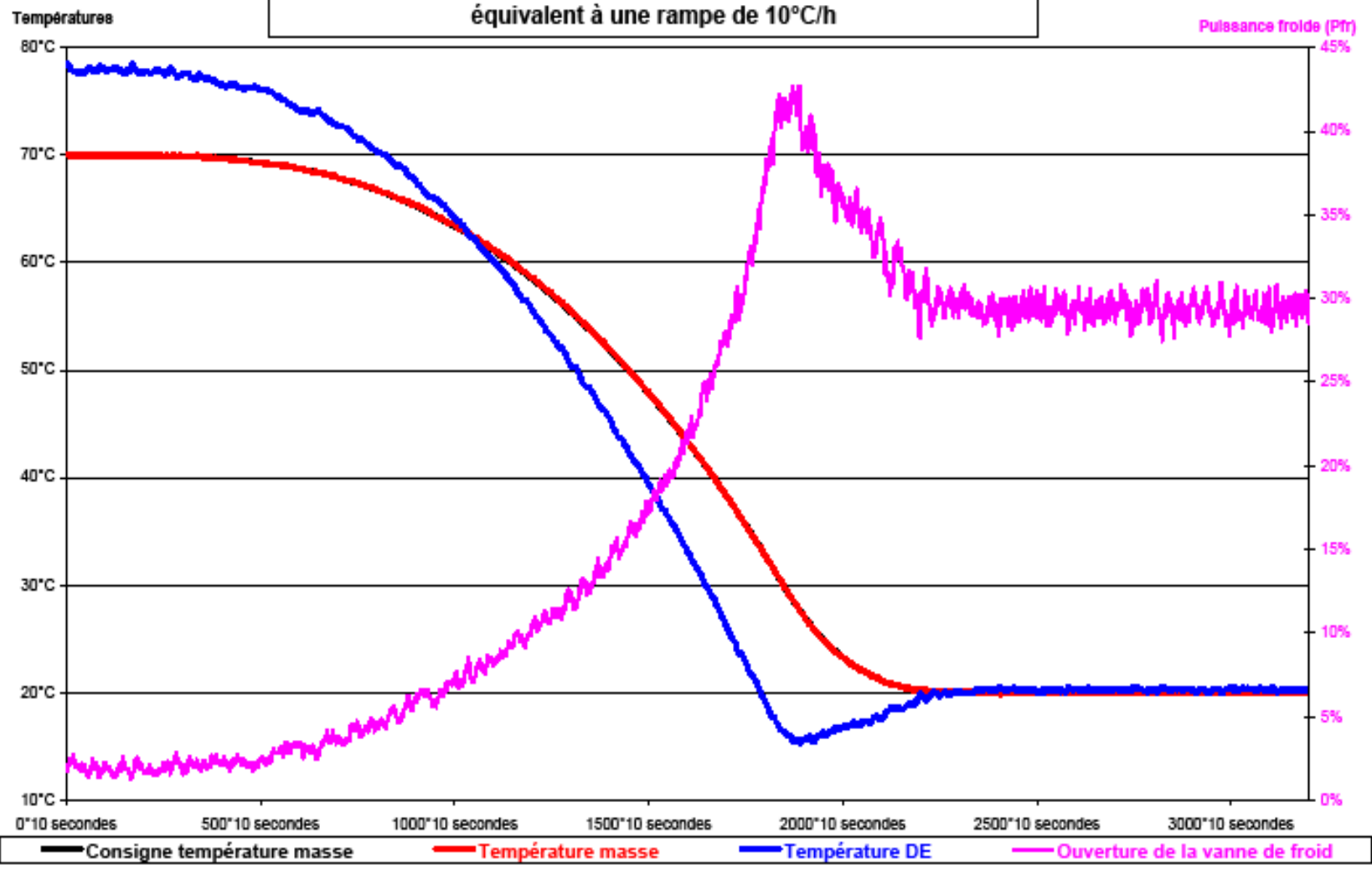
Training of staff: Transfer of Know How

CONVEXITY of HEAT EXCHANGER

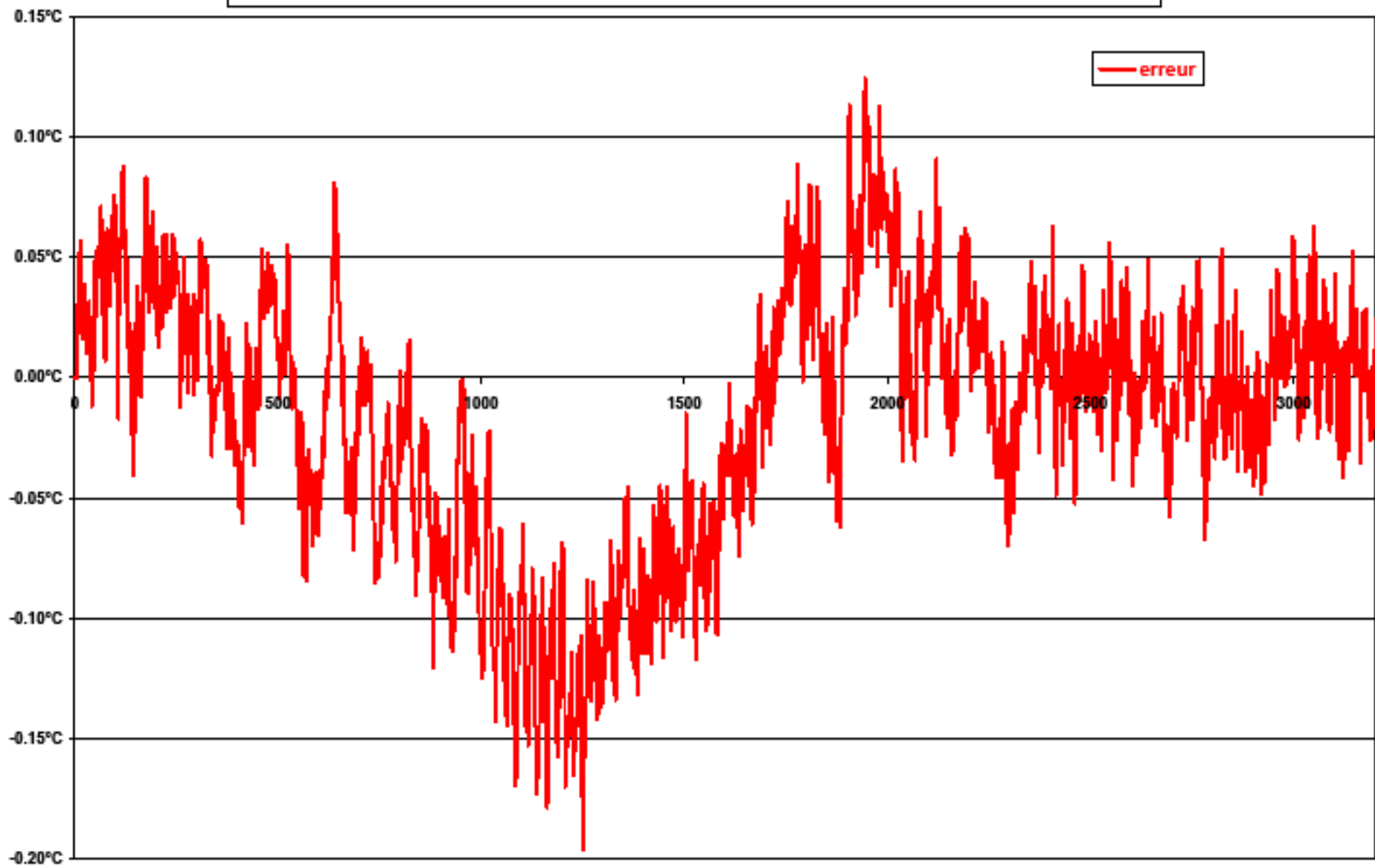
Non linear behavior



VIT210809a - Pente de refroidissement Mullin ordre 2.5 de 70°C à 20°C
équivalent à une rampe de 10°C/h



Erreur de trainage entre la consigne de température masse demandée et la température masse réelle



Conclusion

- Dissemination ? : where is the problem?:
- The technical and economic efficiency of PFC is clearly demonstrated on many different processes
- **TEACHING PFC:**
 - Continuous education of :
 - Teachers of technical schools
 - Industrial operators
 - Implementation of PFC in all new PLC's is to be continued